



UNIVERSIDAD NACIONAL DE PIURA
FACULTAD DE ECONOMIA
DEPARTAMENTO ACADÉMICO DE ECONOMIA



ECONOMETRIA II: ECONOMETRIA II:

EJEMPLOS

PIURA, SETIEMBRE 2013

MODELO MULTIECUACIONAL

MODELO:

$$\begin{aligned}DD_t &= \alpha_0 + \alpha_1 I_t + \alpha_2 ENC_t + \alpha_3 DD_{t-1} + U_{1t} \\ I_t &= \beta_0 + \beta_1 DD_t + \beta_2 INF_t + U_{2t} \\ INF_t &= \delta_0 + \delta_1 DD_t + \delta_2 CIN_t + U_{3t}\end{aligned}$$

FORMA REDUCIDA:

$$\begin{bmatrix} 1 & -b & 0 \\ -f & 1 & -g \\ -i & 0 & 1 \end{bmatrix} \begin{bmatrix} DD_t \\ I_t \\ INF_t \end{bmatrix} = \begin{bmatrix} a & d & c & 0 \\ e & 0 & 0 & 0 \\ h & 0 & 0 & j \end{bmatrix} \begin{bmatrix} 1 \\ DD_{t-1} \\ ENC_t \\ CIN_t \end{bmatrix} + \begin{bmatrix} U_{1t} \\ U_{2t} \\ U_{3t} \end{bmatrix}$$

$$\begin{bmatrix} DD_t \\ I_t \\ INF_t \end{bmatrix} = \begin{bmatrix} 1 & -b & 0 \\ -f & 1 & -g \\ -i & 0 & 1 \end{bmatrix}^{-1} \begin{bmatrix} a & d & c & 0 \\ e & 0 & 0 & 0 \\ h & 0 & 0 & j \end{bmatrix} \begin{bmatrix} 1 \\ DD_{t-1} \\ ENC_t \\ CIN_t \end{bmatrix} + \begin{bmatrix} 1 & -b & 0 \\ -f & 1 & -g \\ -i & 0 & 1 \end{bmatrix}^{-1} \begin{bmatrix} U_{1t} \\ U_{2t} \\ U_{3t} \end{bmatrix}$$

MAXIMA:

(%i1) A:160.631355780087;

(%o1) 160.631355780087

(%i2) B:-2.40303284579524;

(%o2) -2.40303284579524

(%i3) C:0.180523794507474;

(%o3) 0.18052379450747

(%i4) D:0.484041294675356;

(%o4) 0.48404129467536

(%i5) E:30.6008890447692;

(%o5) 30.6008890447692

(%i6) F:-0.0591399932005206;

(%o6) -0.059139993200521

(%i7) G:4.50263825018064;

(%o7) 4.50263825018064

(%i8) H:7.82840417741987;

(%o8) 7.82840417741987

(%i9) I:-0.0328139422669769;

(%o9) -0.032813942266977

(%i10) J:0.000497542475302914;

(%o10) 4.9754247530291401 10⁻⁴

(%i11) A1:matrix([1,-B,0],[-F,1,-G],[-I,0,1]);

(%o11)
$$\begin{bmatrix} 1 & 2.40303284579524 & 0 \\ 0.059139993200521 & 1 & -4.50263825018064 \\ 0.032813942266977 & 0 & 1 \end{bmatrix}$$

(%i12) B1:matrix([A,C,0, D],[E,0,0,0],[H,0,J,0]);

(%o12)
$$\begin{bmatrix} 160.631355780087 & 0.18052379450747 & 0 & 0.48404129467536 \\ 30.6008890447692 & 0 & 0 & 0 \\ 7.82840417741987 & 0 & 4.9754247530291401 \cdot 10^{-4} & 0 \end{bmatrix}$$

(%i13) FR:invert(A1).B1;

(%o13)
$$\begin{bmatrix} 4.759340243112973 & 0.35900970264578 & -0.010706034987248 & 0.96261837251866 \\ 64.86470453773219 & -0.07427526779362 & 0.0044552179159687 & -0.19915544586946 \\ 7.672231461453463 & -0.011780523655903 & 8.4884968928270854 \cdot 10^{-4} & -0.031587303700959 \end{bmatrix}$$

MULTIPLICADORES DE LA INVERSIÓN:**IMPACTO.-**

(%i21) MIENC: FR[2,2];

(%o21) -0.07427526779362

(%i22) %MICIN:FR[2,3];

(%o22) 0.0044552179159687

DINÁMICO.-

(%i23) %MD1RENC: FR[2,4]*FR[1,2];

(%o23) -0.071498737401882

(%i24) %MD1RCINC: FR[2,4]*FR[1,3];

(%o24) 0.0021321651713794

(%i25) %MD2RENC: FR[2,4]*FR[1,2]*FR[1,4];

(%o25) -0.068825998234939

(%i27) %MD2RCINC: FR[2,4]*FR[1,3]*FR[1,4];

(%o27) 0.0020524613672142

TOTAL.-

(%i28) %MTENC: FR[2,2]+(FR[2,4]*FR[1,2])/(1-FR[1,4]);

(%o28) -1.986945801936993

(%i29) %MTCIN:FR[2,3]+(FR[2,4]*FR[1,3])/(1-FR[1,4]);

(%o29) 0.06149300131488

CONDICIONES DE ESTABILIDAD:

$$\begin{bmatrix} 1 & 0 & 0 \\ 0 & 1 & 0 \\ 0 & 0 & 1 \end{bmatrix} \begin{bmatrix} DD_t \\ I_t \\ INF_t \end{bmatrix} - \begin{bmatrix} P4 & 0 & 0 \\ P8 & 0 & 0 \\ P12 & 0 & 0 \end{bmatrix} \begin{bmatrix} DD_{t-1} \\ I_{t-1} \\ INF_{t-1} \end{bmatrix} = \begin{bmatrix} P1 + P2 ENC_t + P3 CIN_t + V_{1t} \\ P5 + P6 ENC_t + P7 CIN_t + V_{2t} \\ P9 + P10 ENC_t + P11 CIN_t + V_{3t} \end{bmatrix}$$

$$\begin{bmatrix} 1 & 0 & 0 \\ 0 & 1 & 0 \\ 0 & 0 & 1 \end{bmatrix} \begin{bmatrix} DD_t \\ I_t \\ INF_t \end{bmatrix} - \begin{bmatrix} P4 & 0 & 0 \\ P8 & 0 & 0 \\ P12 & 0 & 0 \end{bmatrix} \begin{bmatrix} DD_{t-1} \\ I_{t-1} \\ INF_{t-1} \end{bmatrix} = \mathbf{0}$$

$$\left| \begin{bmatrix} 1 & 0 & 0 \\ 0 & 1 & 0 \\ 0 & 0 & 1 \end{bmatrix} \lambda - \begin{bmatrix} P4 & 0 & 0 \\ P8 & 0 & 0 \\ P12 & 0 & 0 \end{bmatrix} \right| = 0$$

(%i14) C1:matrix([FR[1,4],0,0],[FR[2,4],0,0],[FR[3,4],0,0]);

(%o14)
$$\begin{bmatrix} 0.96261837251866 & 0 & 0 \\ -0.19915544586946 & 0 & 0 \\ -0.031587303700959 & 0 & 0 \end{bmatrix}$$

(%i15) D1:matrix([L,0,0],[0,L,0],[0,0,L]);

(%o15)
$$\begin{bmatrix} L & 0 & 0 \\ 0 & L & 0 \\ 0 & 0 & L \end{bmatrix}$$

(%i16) E1:determinant(D1-C1);

(%o16) $(L - 0.96261837251866) L^2$

(%i17) F1:solve(E1=0,L);

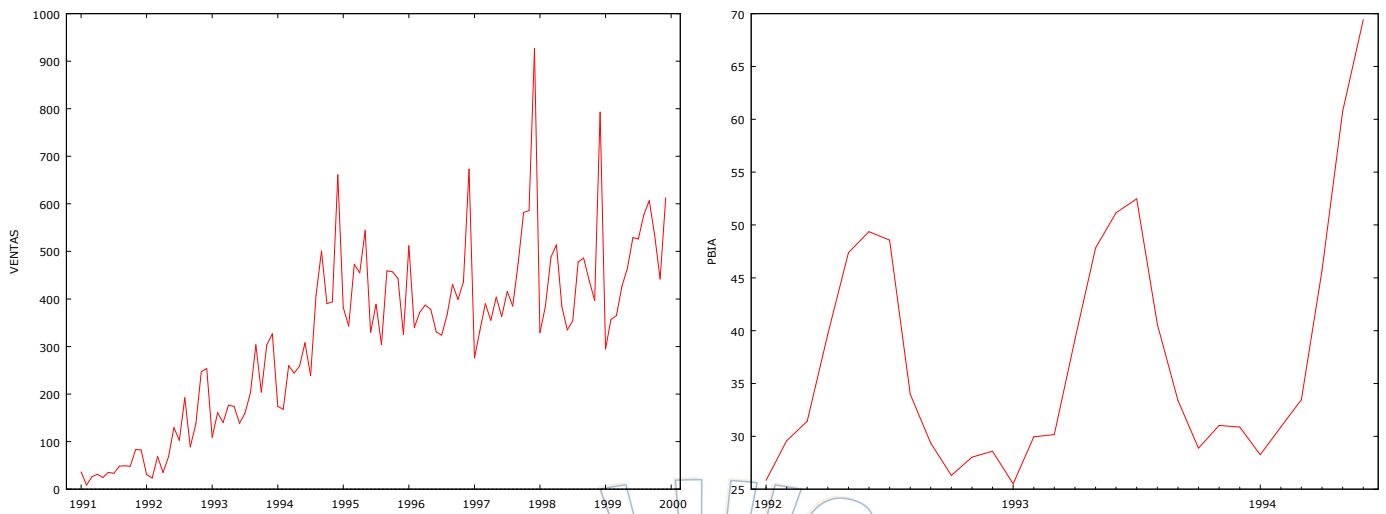
rat: replaced -0.9626183725187 by -5794/6019 = -0.9626183751454

(%o17) $\left[L = \frac{5794}{6019}, L = 0 \right]$

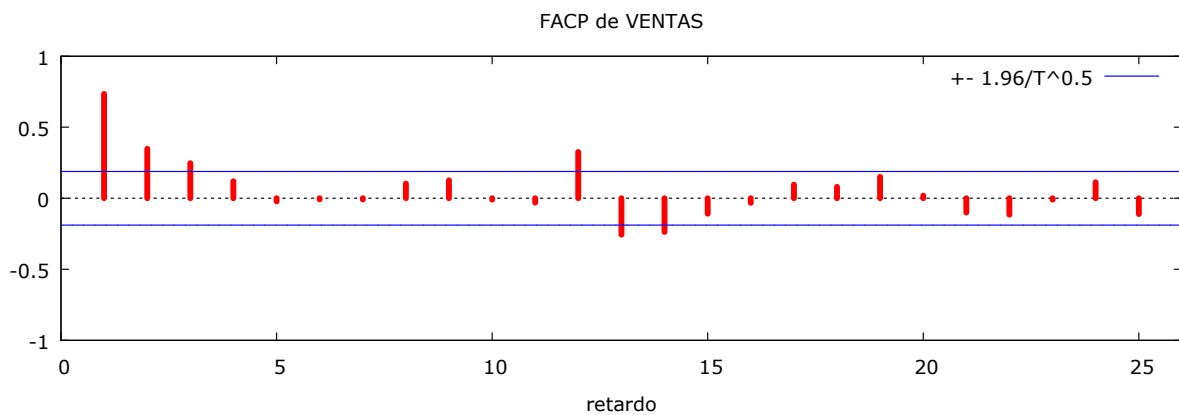
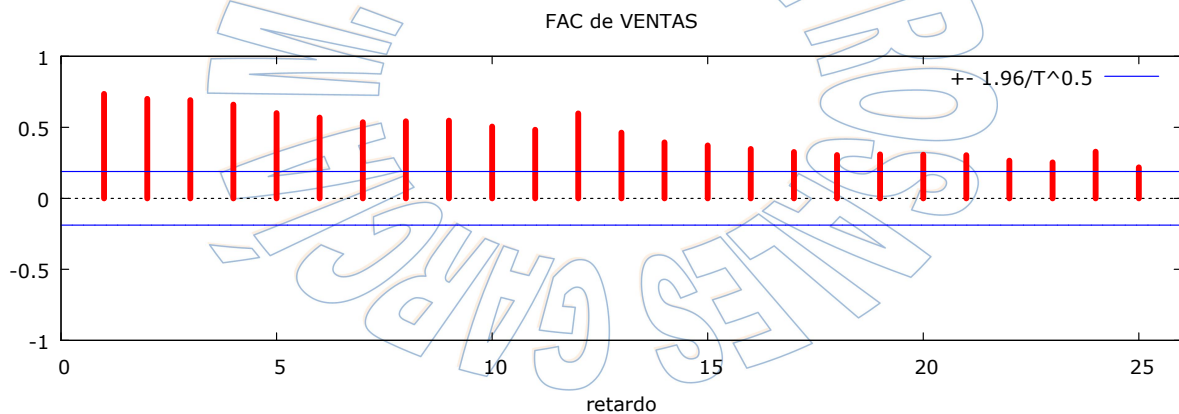
INTRODUCCION A LAS SERIES DE TIEMPO

GRETL

PLOTEO:



CORRELOGRAMA:

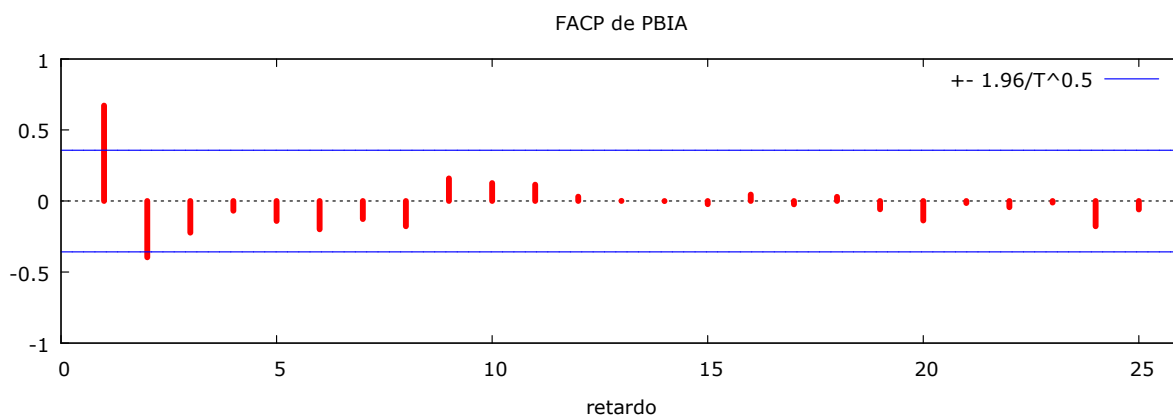
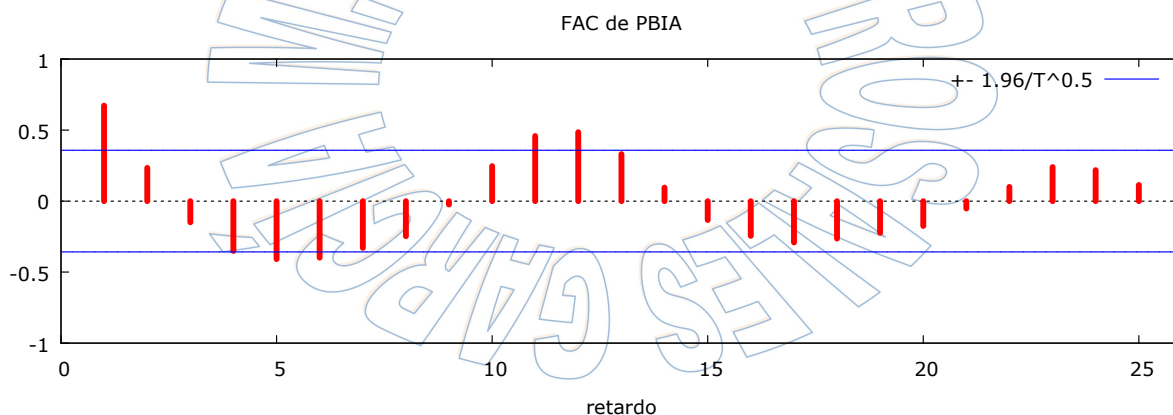


Funci^on de autocorrelaci^on para VENTAS

RETARDO	FAC		FACP		Estad-Q.	[valor p]
1	0.7351	***	0.7351	***	59.9920	[0.000]
2	0.7007	***	0.3490	***	115.0244	[0.000]
3	0.6917	***	0.2474	**	169.1648	[0.000]

L. A. R. G.

4	0.6602	***	0.1200	218.9587	[0.000]
5	0.6003	***	-0.0214	260.5243	[0.000]
6	0.5686	***	-0.0075	298.1747	[0.000]
7	0.5362	***	-0.0088	331.9884	[0.000]
8	0.5427	***	0.1041	366.9746	[0.000]
9	0.5470	***	0.1271	402.8820	[0.000]
10	0.5057	***	-0.0092	433.8828	[0.000]
11	0.4828	***	-0.0307	462.4264	[0.000]
12	0.5979	***	0.3259 ***	506.6644	[0.000]
13	0.4631	***	-0.2564 ***	533.4791	[0.000]
14	0.3938	***	-0.2379 **	553.0806	[0.000]
15	0.3728	***	-0.1087	570.8350	[0.000]
16	0.3480	***	-0.0326	586.4766	[0.000]
17	0.3260	***	0.0958	600.3492	[0.000]
18	0.3047	***	0.0808	612.6026	[0.000]
19	0.3092	***	0.1512	625.3633	[0.000]
20	0.3071	***	0.0184	638.0938	[0.000]
21	0.3037	***	-0.1014	650.6873	[0.000]
22	0.2651	***	-0.1155	660.3951	[0.000]
23	0.2531	***	-0.0101	669.3505	[0.000]
24	0.3290	***	0.1132	684.6633	[0.000]
25	0.2182	**	-0.1115	691.4782	[0.000]



Funci² de autocorrelaci² para PBIA

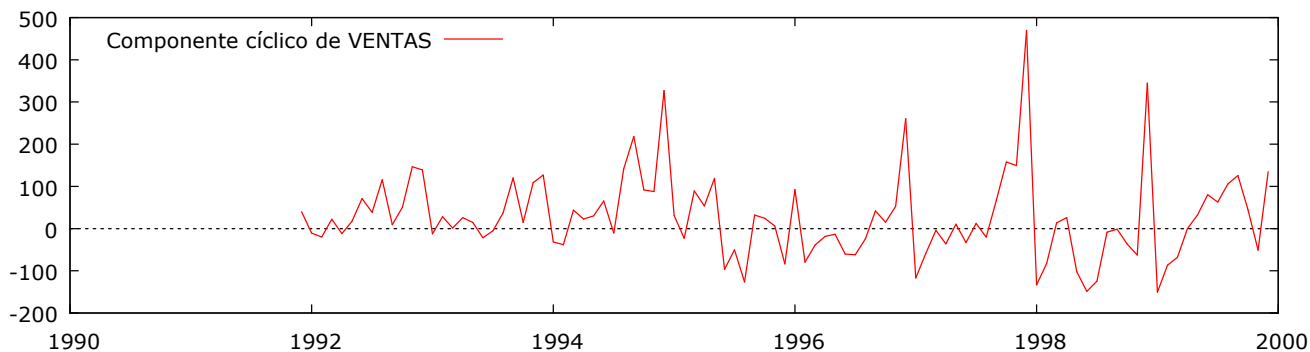
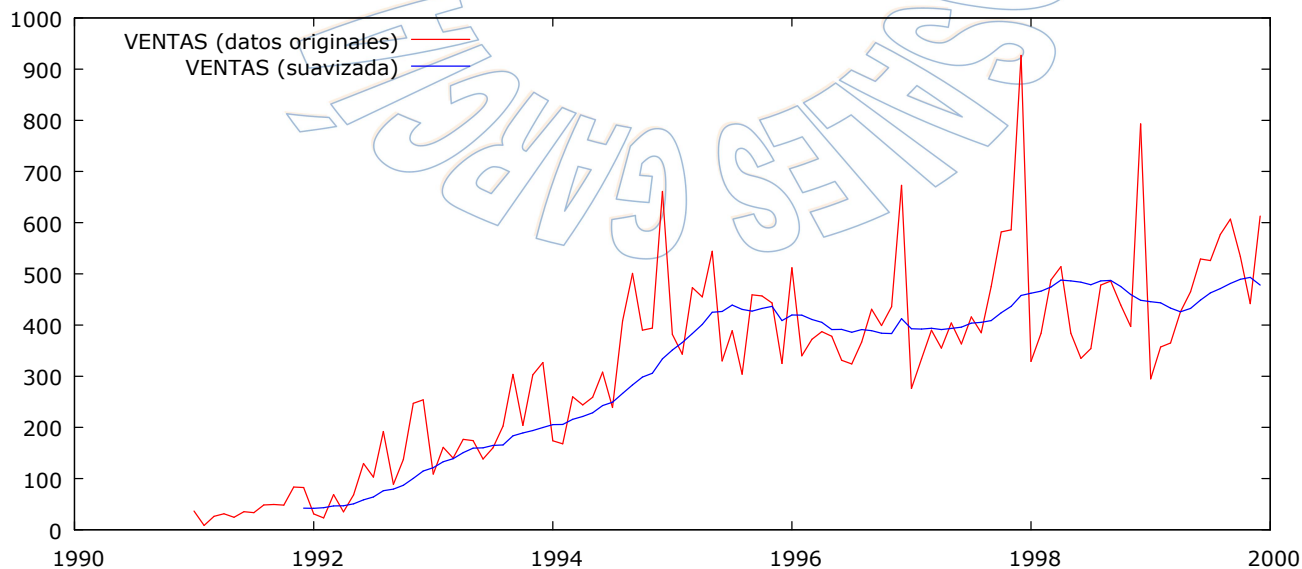
RETARDO	FAC		FACP		Estad-Q.	[valor p]
1	0.6715	***	0.6715	***	14.9268	[0.000]
2	0.2336		-0.3957	**	16.7981	[0.000]
3	-0.1498		-0.2224		17.5955	[0.001]

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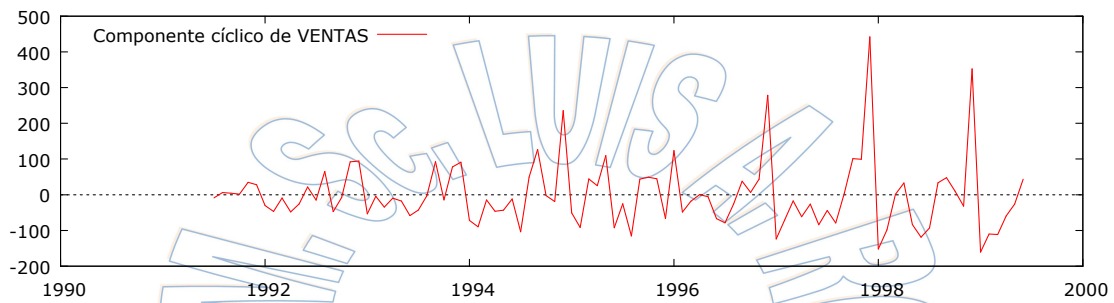
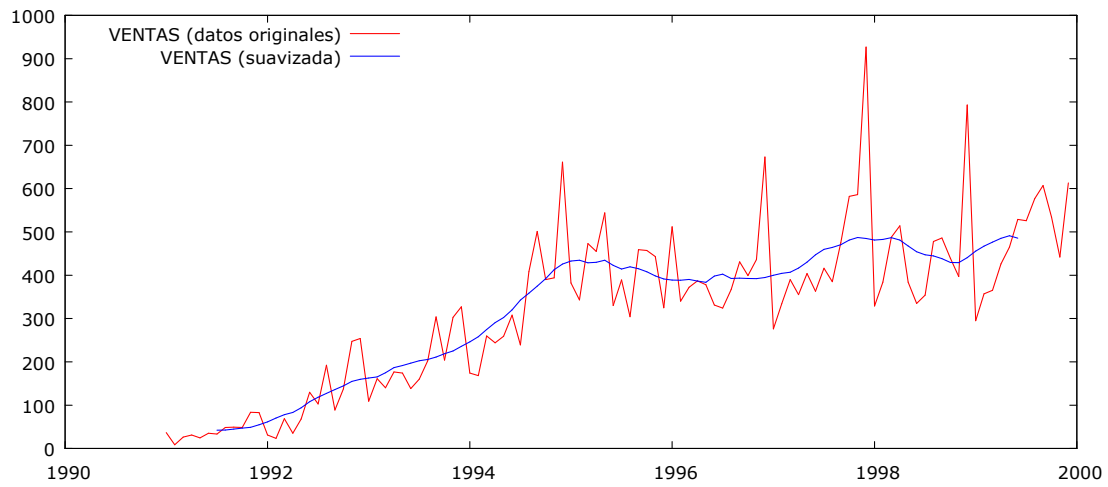
4	-0.3505	*	-0.0686	22.1305	[0.000]
5	-0.4084	**	-0.1407	28.5342	[0.000]
6	-0.3980	**	-0.1985	34.8690	[0.000]
7	-0.3300	*	-0.1271	39.4139	[0.000]
8	-0.2474		-0.1772	42.0847	[0.000]
9	-0.0243		0.1598	42.1118	[0.000]
10	0.2460		0.1266	45.0154	[0.000]
11	0.4576	**	0.1155	55.5937	[0.000]
12	0.4845	***	0.0308	68.1132	[0.000]
13	0.3304	*	0.0013	74.2778	[0.000]
14	0.0947		-0.0002	74.8163	[0.000]
15	-0.1334		-0.0222	75.9556	[0.000]
16	-0.2455		0.0450	80.0877	[0.000]
17	-0.2906		-0.0235	86.3221	[0.000]
18	-0.2638		0.0301	91.8911	[0.000]
19	-0.2235		-0.0577	96.2502	[0.000]
20	-0.1751		-0.1367	99.1920	[0.000]
21	-0.0522		-0.0146	99.4830	[0.000]
22	0.0995		-0.0431	100.6720	[0.000]
23	0.2396		-0.0111	108.5450	[0.000]
24	0.2178		-0.1773	116.1376	[0.000]
25	0.1138		-0.0596	118.6240	[0.000]

FILTROS:

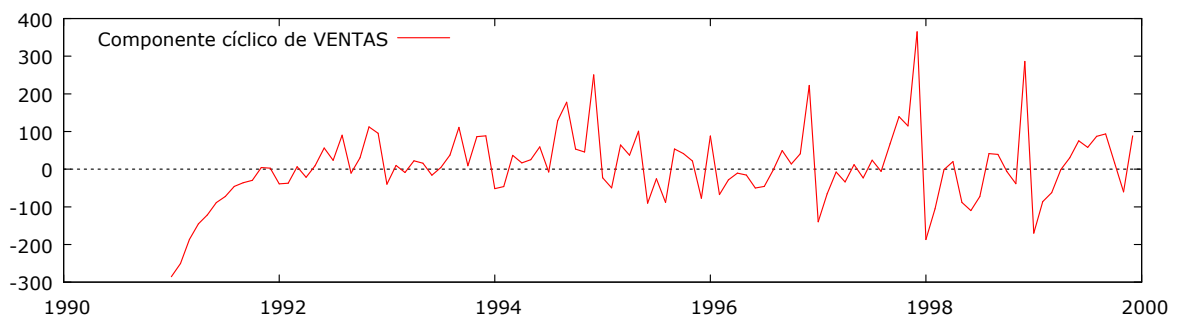
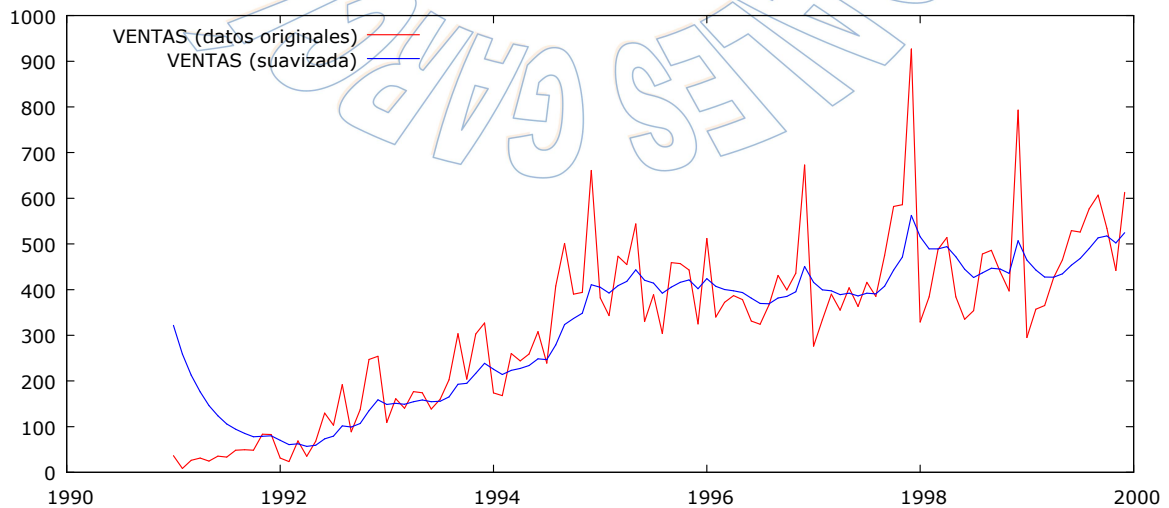
MEDIA MÓVIL SIMPLE



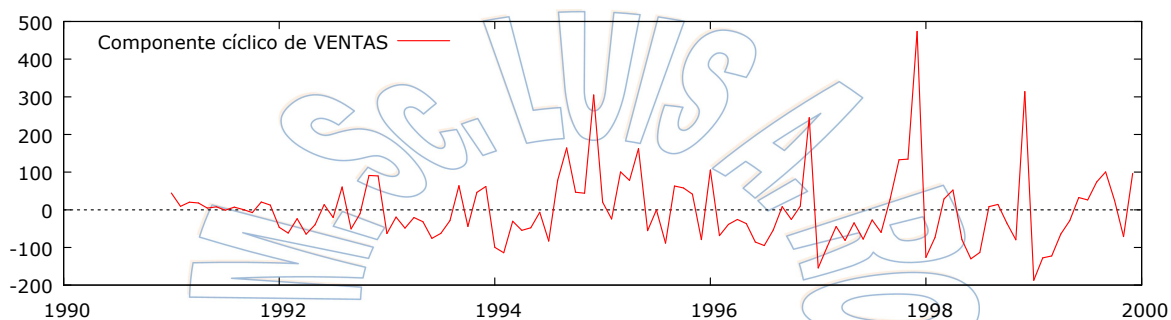
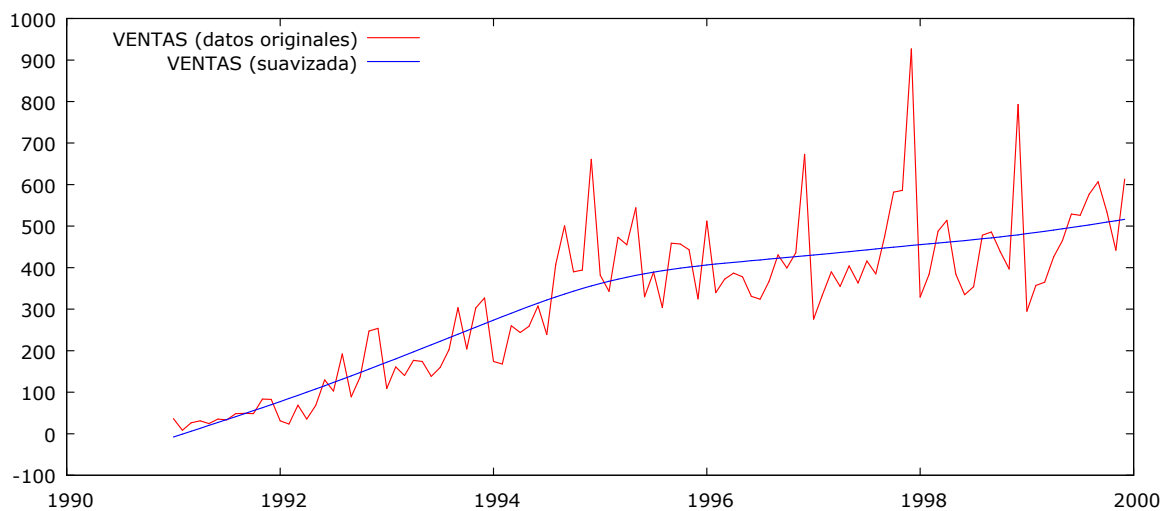
MEDIA MÓVIL CENTRADA



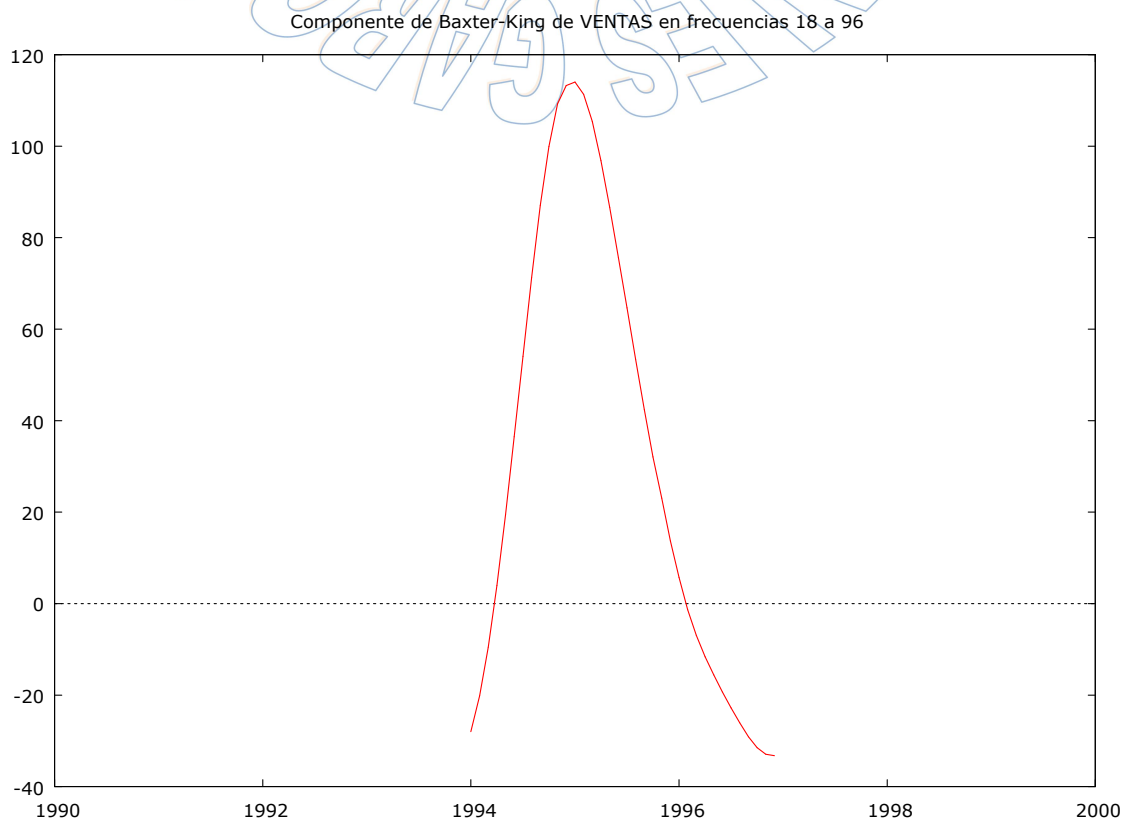
MEDIA MÓVIL EXPONENCIAL

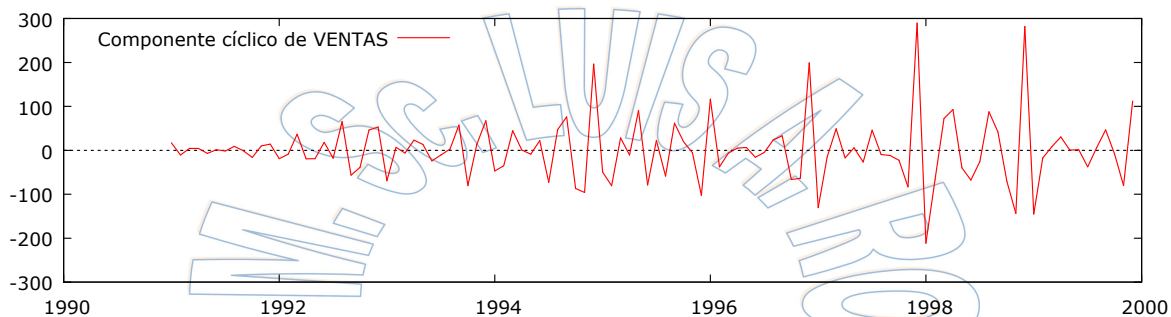
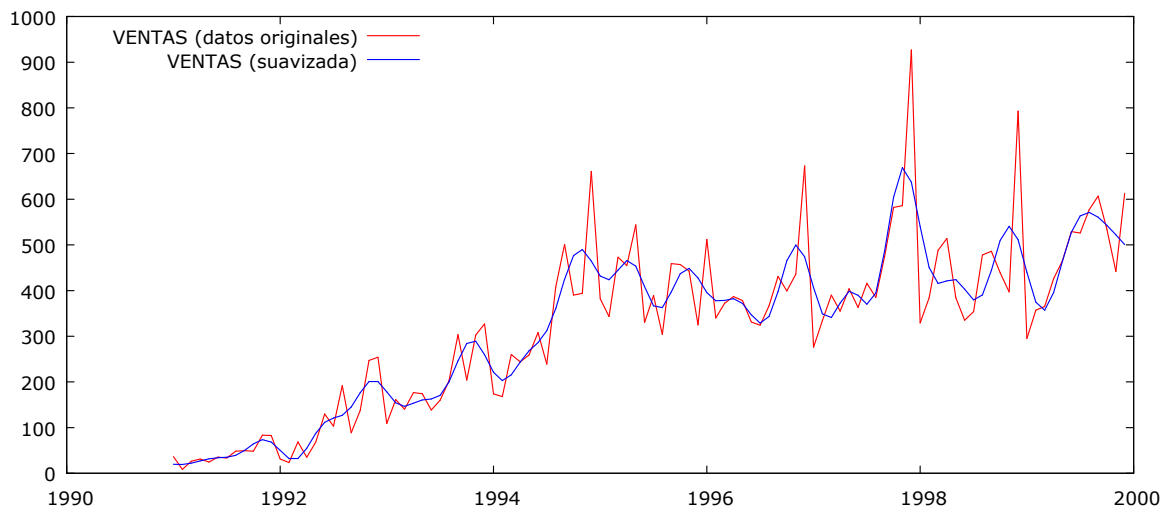
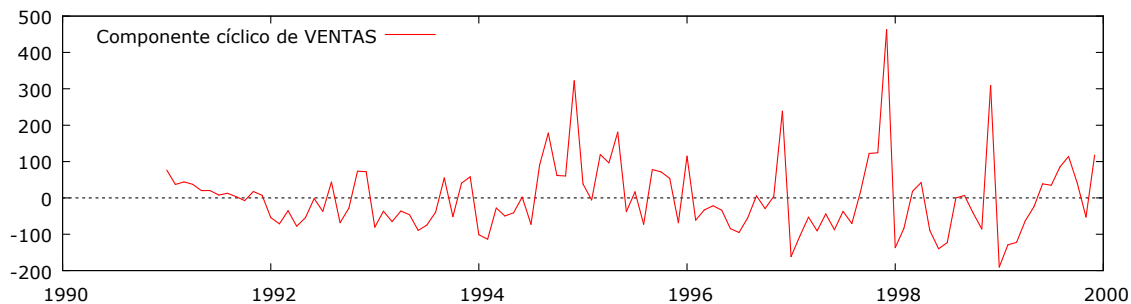
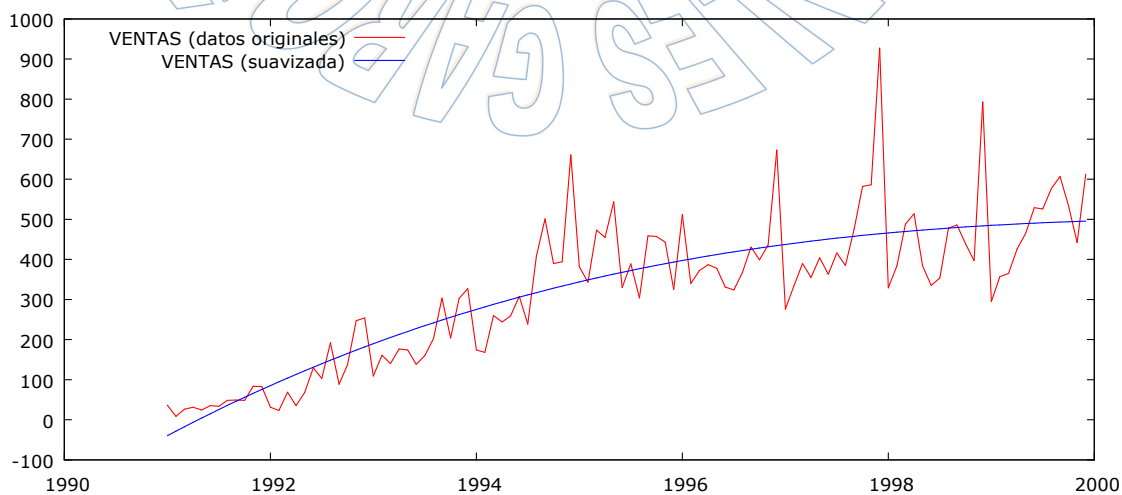


HODRICK-PRESCOTT

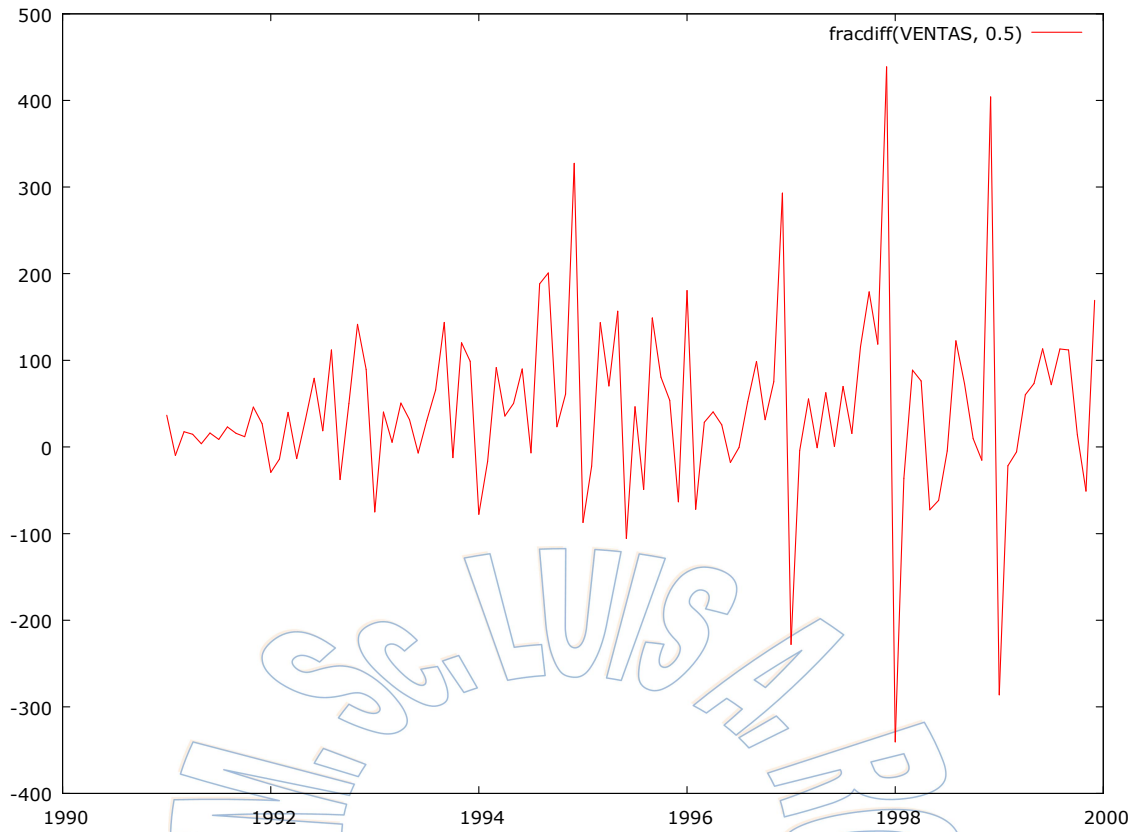


BAXTER-KING



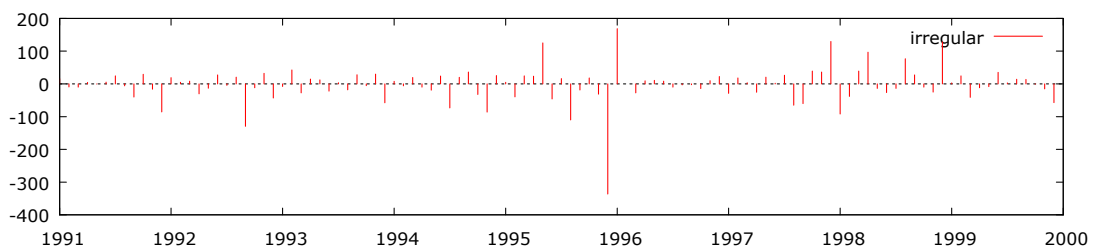
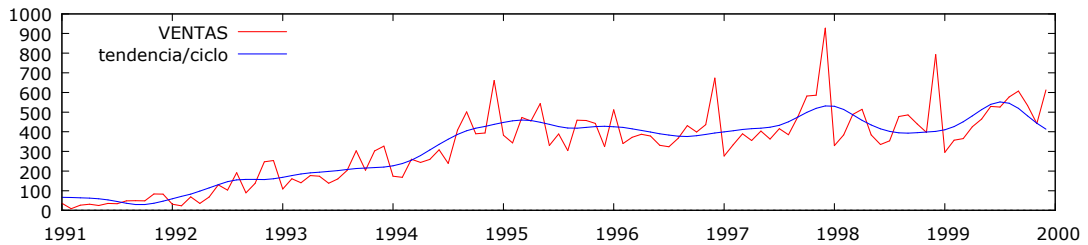
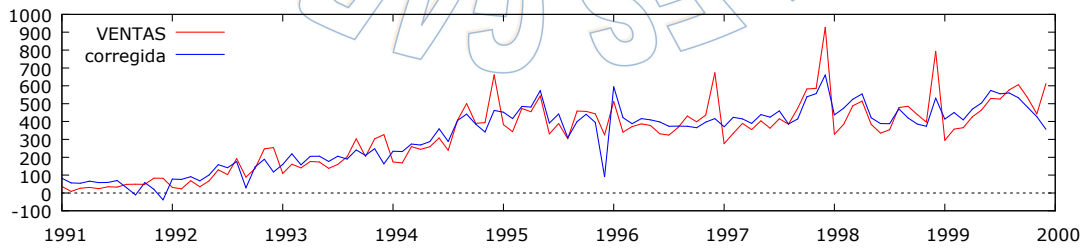
BUTTERWORTH**TENDENCIA POLINOMICA**

DIFERENCIA FRACCIONAL

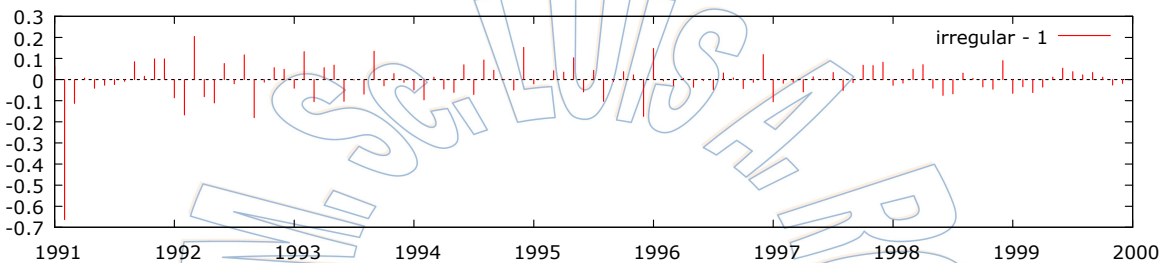
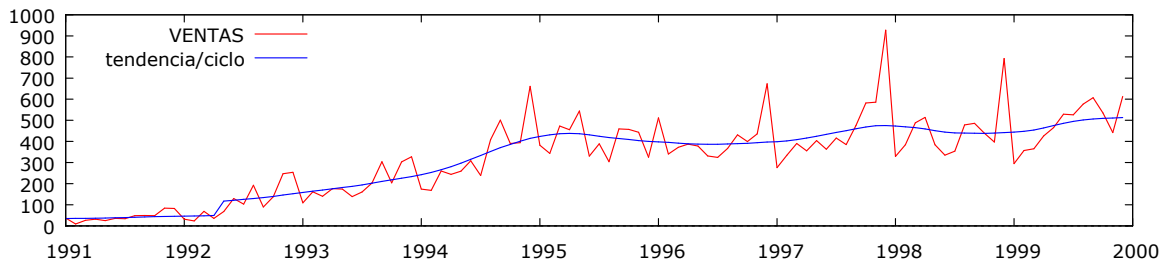
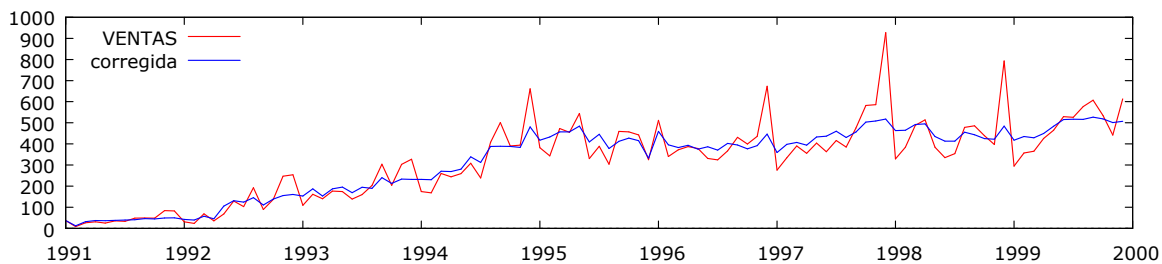


DESCOMPOSICIÓN DE LA SERIE:

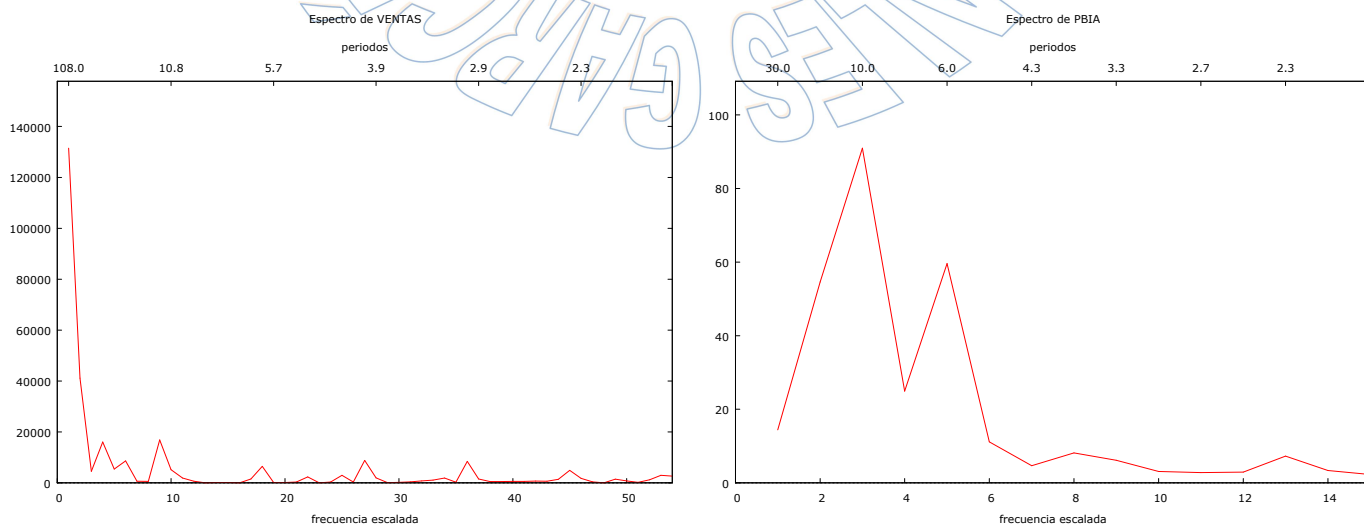
ARIMA X-12



TRAMO SEATS



PERIDIOGRAMA:



Periodograma de VENTAS

Número de observaciones = 108

omega	frecuencia escalada	periodos	densidad espectral
0.05818	1	108.00	1.3147e+05
0.11636	2	54.00	41105
0.17453	3	36.00	4535.7
0.23271	4	27.00	16044
0.29089	5	21.60	5389.5
0.34907	6	18.00	8598.8

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0.40724	7	15.43	631.90
0.46542	8	13.50	536.42
0.52360	9	12.00	16858
0.58178	10	10.80	5164.6
0.63995	11	9.82	1917.1
0.69813	12	9.00	662.40
0.75631	13	8.31	19.761
0.81449	14	7.71	153.80
0.87266	15	7.20	117.44
0.93084	16	6.75	20.880
0.98902	17	6.35	1526.2
1.04720	18	6.00	6494.6
1.10538	19	5.68	103.72
1.16355	20	5.40	123.29
1.22173	21	5.14	333.38
1.27991	22	4.91	2309.9
1.33809	23	4.70	8.6622
1.39626	24	4.50	318.37
1.45444	25	4.32	2980.4
1.51262	26	4.15	322.79
1.57080	27	4.00	8792.3
1.62897	28	3.86	1983.4
1.68715	29	3.72	73.159
1.74533	30	3.60	180.70
1.80351	31	3.48	366.93
1.86168	32	3.38	775.51
1.91986	33	3.27	1094.0
1.97804	34	3.18	1874.2
2.03622	35	3.09	240.74
2.09440	36	3.00	8412.9
2.15257	37	2.92	1521.0
2.21075	38	2.84	500.59
2.26893	39	2.77	529.31
2.32711	40	2.70	580.11
2.38528	41	2.63	561.90
2.44346	42	2.57	719.68
2.50164	43	2.51	633.68
2.55982	44	2.45	1379.4
2.61799	45	2.40	4887.1
2.67617	46	2.35	1735.9
2.73435	47	2.30	351.43
2.79253	48	2.25	27.510
2.85070	49	2.20	1455.9
2.90888	50	2.16	778.90
2.96706	51	2.12	170.84
3.02524	52	2.08	1190.3
3.08342	53	2.04	2976.5
3.14159	54	2.00	2667.9

Periodograma de PBIA

Número de observaciones = 30

omega	frecuencia	escalada	periodos	densidad espectral
0.20944	1		30.00	14.390
0.41888	2		15.00	54.582
0.62832	3		10.00	90.947
0.83776	4		7.50	24.931
1.04720	5		6.00	59.581
1.25664	6		5.00	11.126
1.46608	7		4.29	4.6497
1.67552	8		3.75	8.1509
1.88496	9		3.33	6.1591
2.09440	10		3.00	3.0801

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2.30383	11	2.73	2.7802
2.51327	12	2.50	2.9292
2.72271	13	2.31	7.2473
2.93215	14	2.14	3.3572
3.14159	15	2.00	2.2644

CONTRASTE DE RAÍZ UNITARIA:

ADF

Contraste aumentado de Dickey-Fuller para VENTAS
incluyendo 11 retardos de $(1-L)VENTAS$ (el máximo fue 12)
tamaño muestral 96
hipótesis nula de raíz unitaria: $a = 1$

con constante y tendencia
modelo: $(1-L)y = b_0 + b_1*t + (a-1)*y(-1) + \dots + e$
Coef. de autocorrelación de primer orden de e : 0.035
diferencias retardadas: $F(11, 82) = 2.490$ [0.0095]
valor estimado de $(a - 1)$: -0.201985
Estadístico de contraste: $\tau_{ct}(1) = -1.08947$
valor p asintótico 0.9294

ADF-GLS

Contraste aumentado de Dickey-Fuller (GLS) para VENTAS
incluyendo 11 retardos de $(1-L)VENTAS$ (el máximo fue 12)
tamaño muestral 96
hipótesis nula de raíz unitaria: $a = 1$

con constante y tendencia
modelo: $(1-L)y = b_0 + b_1*t + (a-1)*y(-1) + \dots + e$
Coef. de autocorrelación de primer orden de e : 0.042
diferencias retardadas: $F(11, 84) = 2.476$ [0.0097]
valor estimado de $(a - 1)$: -0.167671
Estadístico de contraste: $\tau = -0.92302$

	10%	5%	2.5%	1%
Valores críticos:	-2.74	-3.03	-3.29	-3.58

Regresión aumentada de Dickey-Fuller
MCO, usando las observaciones 1992:01-1999:12 ($T = 96$)
Variable dependiente: d_{yd}

	Coeficiente	Desv. Típica	Estadístico t	Valor p
yd_1	-0.167671	0.181655	-0.9230	NA
d_yd_1	-0.640238	0.190839	-3.355	0.0012 ***
d_yd_2	-0.523876	0.193019	-2.714	0.0081 ***
d_yd_3	-0.413750	0.192472	-2.150	0.0345 **
d_yd_4	-0.313648	0.186503	-1.682	0.0963 *
d_yd_5	-0.326010	0.178290	-1.829	0.0710 *
d_yd_6	-0.356465	0.172669	-2.064	0.0421 **
d_yd_7	-0.412470	0.169540	-2.433	0.0171 **
d_yd_8	-0.397567	0.167348	-2.376	0.0198 **
d_yd_9	-0.304817	0.158532	-1.923	0.0579 *
d_yd_10	-0.322445	0.138046	-2.336	0.0219 **
d_yd_11	-0.417693	0.104979	-3.979	0.0001 ***

AIC: 1170.9 BIC: 1201.67 HQC: 1183.34

KPSS

Regresión KPSS

MCO, usando las observaciones 1991:01-1999:12 (T = 108)

Variable dependiente: VENTAS

	Coefficiente	Desv. Típica	Estadístico t	Valor p	
const	59.9475	21.1035	2.841	0.0054	***
time	4.80489	0.336114	14.30	1.78e-026	***

AIC: 1321.6 BIC: 1326.96 HQC: 1323.77

Estimación robusta de la varianza: 23782.6

Suma de cuadrados de los residuos acumulados: 8.09759e+007

Contraste KPSS para VENTAS(incluyendo tendencia)

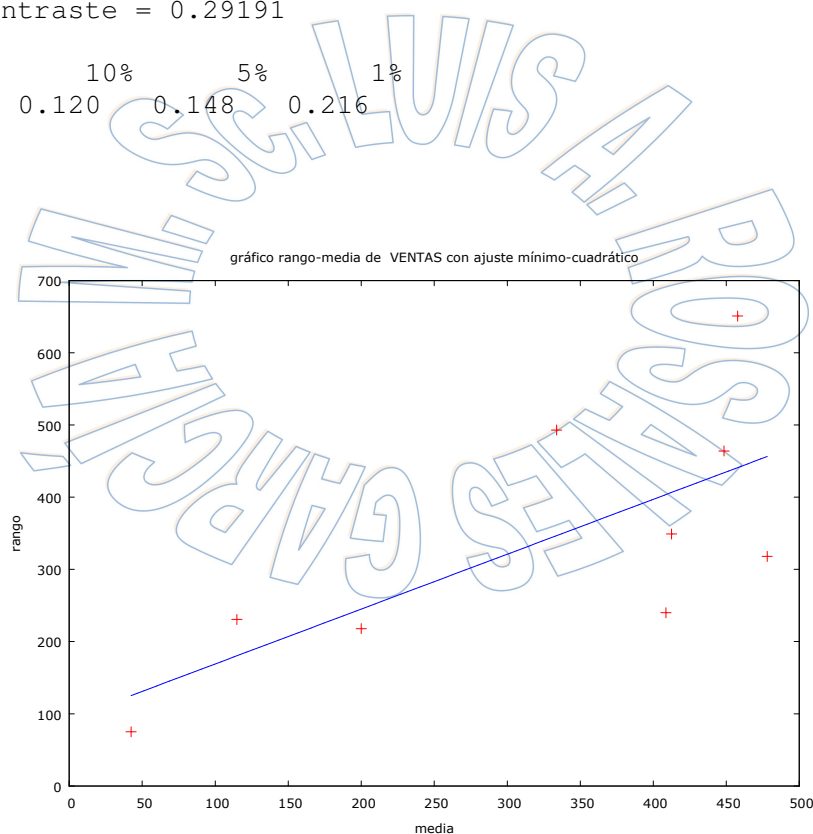
T = 108

Parámetro de truncamiento de los retardos = 4

Estadístico de contraste = 0.29191

Valores críticos: 10% 0.120 5% 0.148 1% 0.216

RANGO - MEDIA:



Estadísticos de rango-media para VENTAS
utilizando 9 submuestras de tamaño 12

rango	media	
1991:01 - 1991:12	75.0000	42.3417
1992:01 - 1992:12	230.700	114.867
1993:01 - 1993:12	217.900	199.950
1994:01 - 1994:12	493.000	333.833
1995:01 - 1995:12	240.000	408.667
1996:01 - 1996:12	349.000	412.500
1997:01 - 1997:12	651.000	457.750
1998:01 - 1998:12	464.000	448.417
1999:01 - 1999:12	318.000	478.000

pendiente de 'rango' con respecto a 'media' = 0.760072

el valor p para H0: pendiente = 0 es 0.0330274

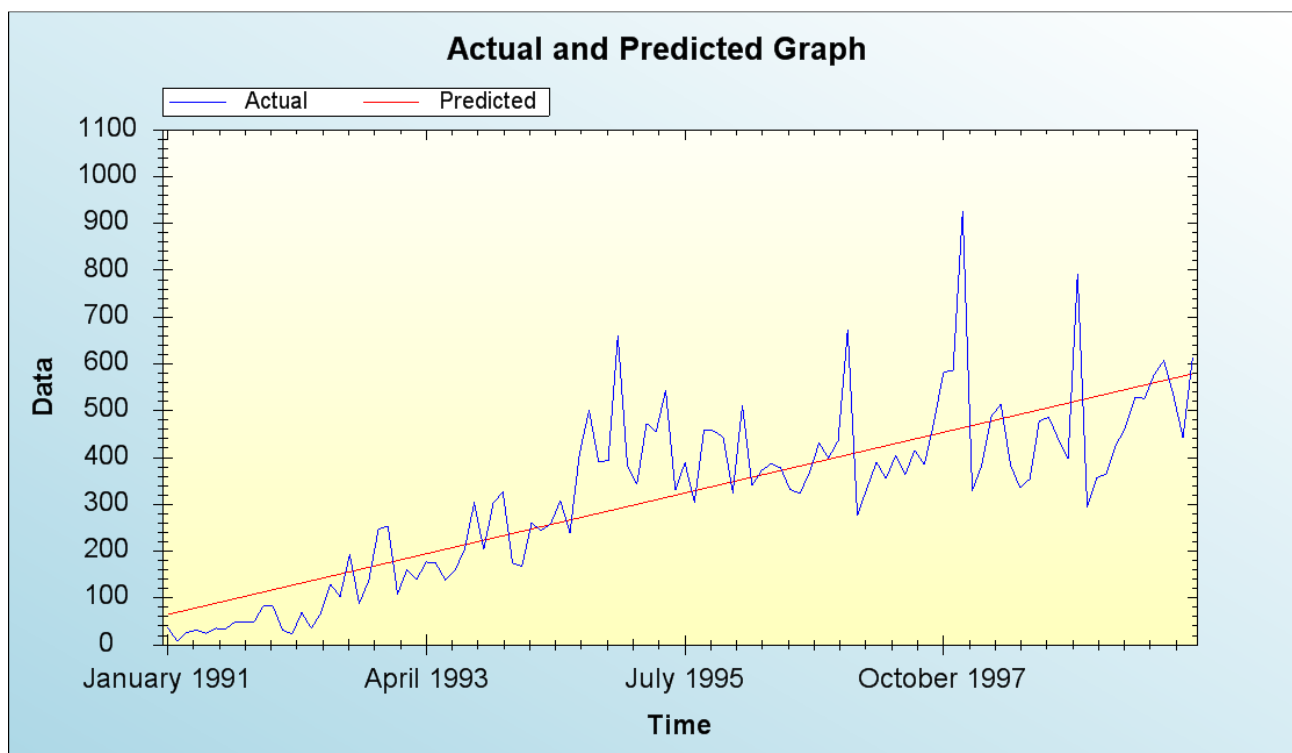
L. A. R. G.

ZAITUN

ANÁLISIS DE TENDENCIA:

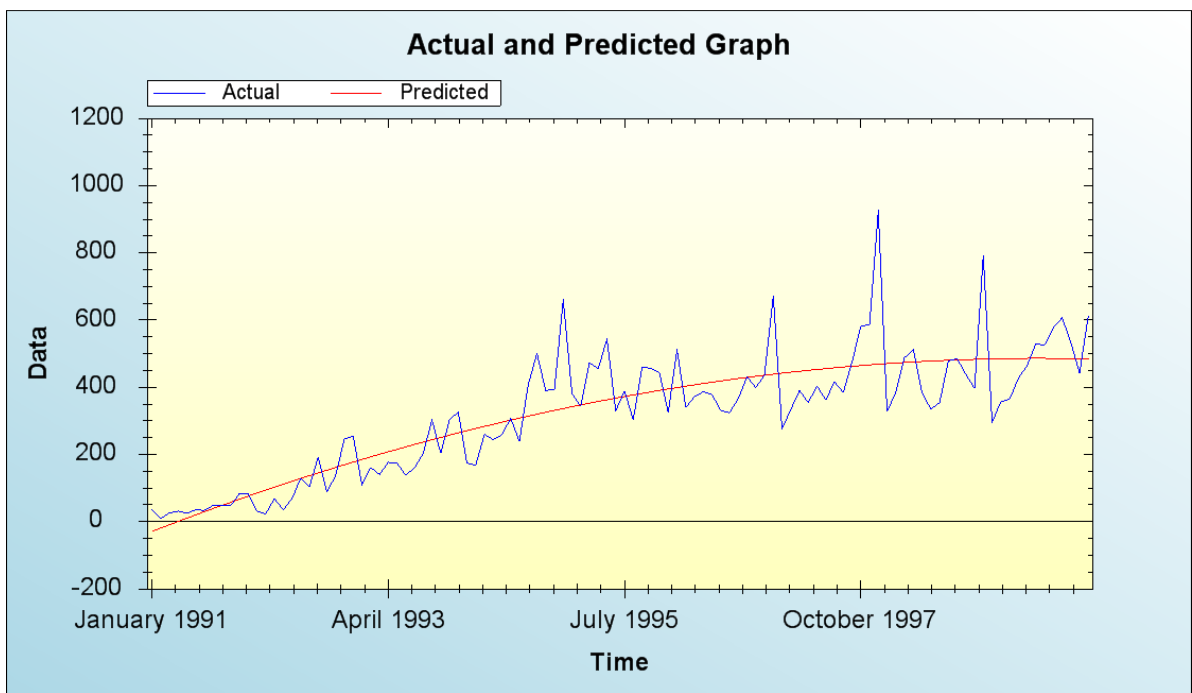
LINEAL

Variable	Value VENTAS
Included Observation	108
Linear Trend Equation	$Y_t = 59.948 + 4.8049 * t$
R	0.811456
R-Squared	0.658460
R-Square Adjusted	0.999695
Sum Square Error (SSE)	1256987.221519
Mean Squared Error (MSE)	11858.370014



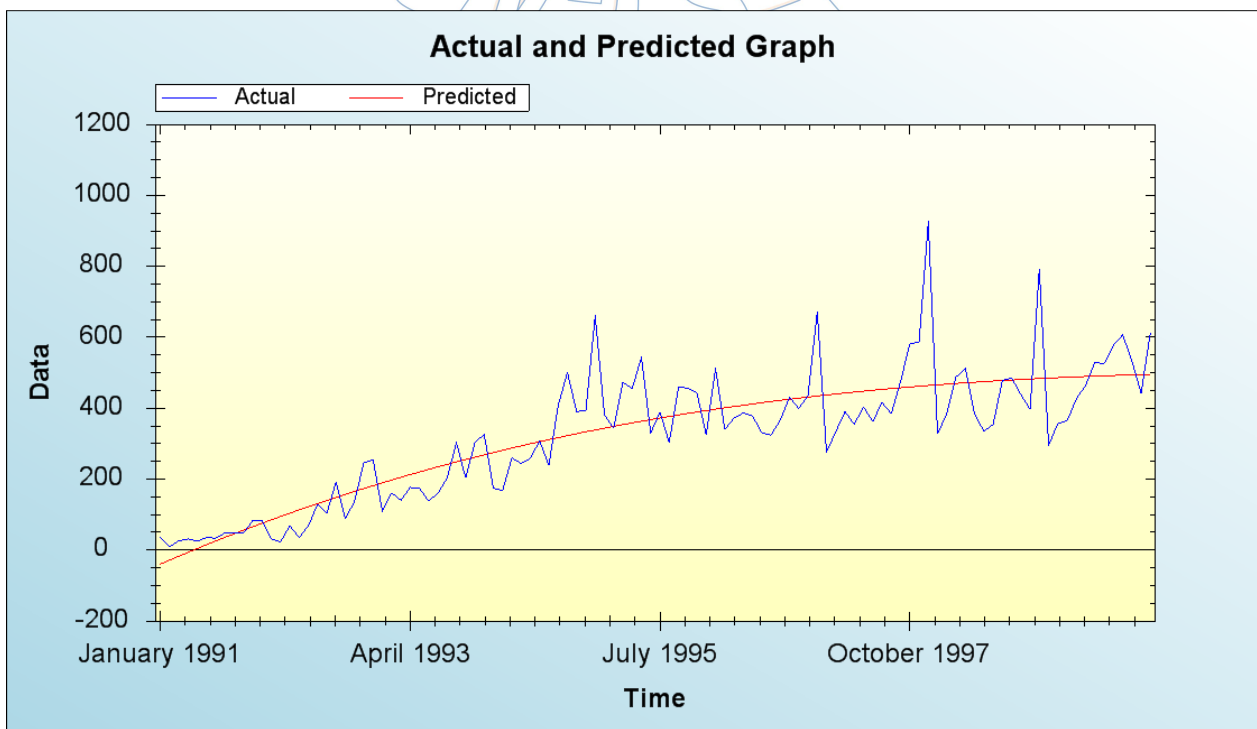
CUADRÁTICA

Variable	Value VENTAS
Included Observation	108
Quadratic Trend Equation	$Y_t = -39.39 + 10.223 * t - 0.04971 * t^{**2}$
R	0.844539
R-Squared	0.713245
R-Square Adjusted	0.999721
Sum Square Error (SSE)	1055358.949789
Mean Squared Error (MSE)	10051.037617



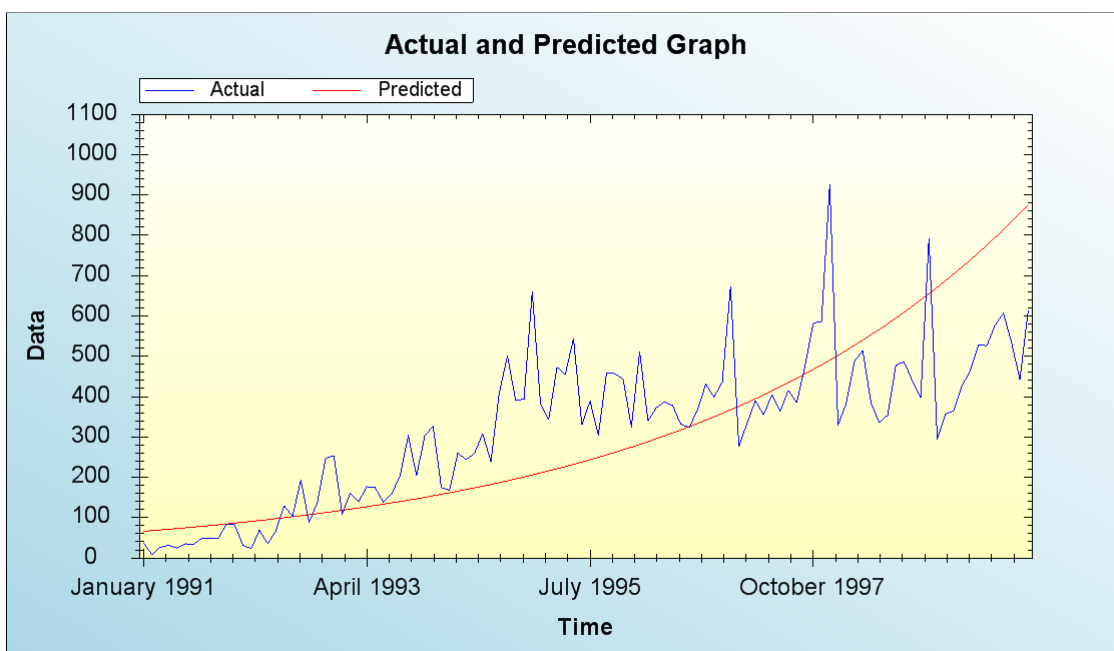
CUBICA

Variable	Value
	VENTAS
Included Observation	108
Cubic Trend Equation	$Y_t = -51.117 + 11.485*t - 0.078523*t^{**2} + 0.00017622*t^{**3}$
R	0.844844
R-Squared	0.713761
R-Square Adjusted	0.999721
Sum Square Error (SSE)	1053460.409323
Mean Squared Error (MSE)	10129.427013



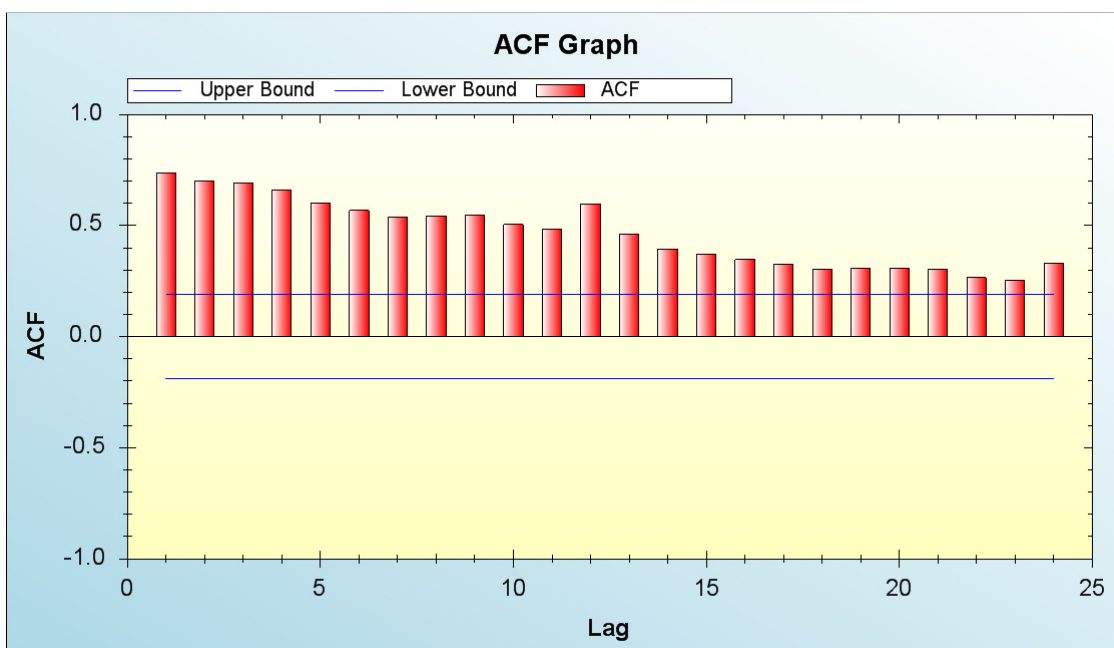
EXPONENCIAL

Variable	Value
	VENTAS
Included Observation	108
Exponential Trend Equation	$Y_t = 64.654 * (1.0244^{**t})$
R	0.808755
R-Squared	0.654085
R-Square Adjusted	0.859855
Sum Square Error (SSE)	6.092369
Mean Squared Error (MSE)	0.057475

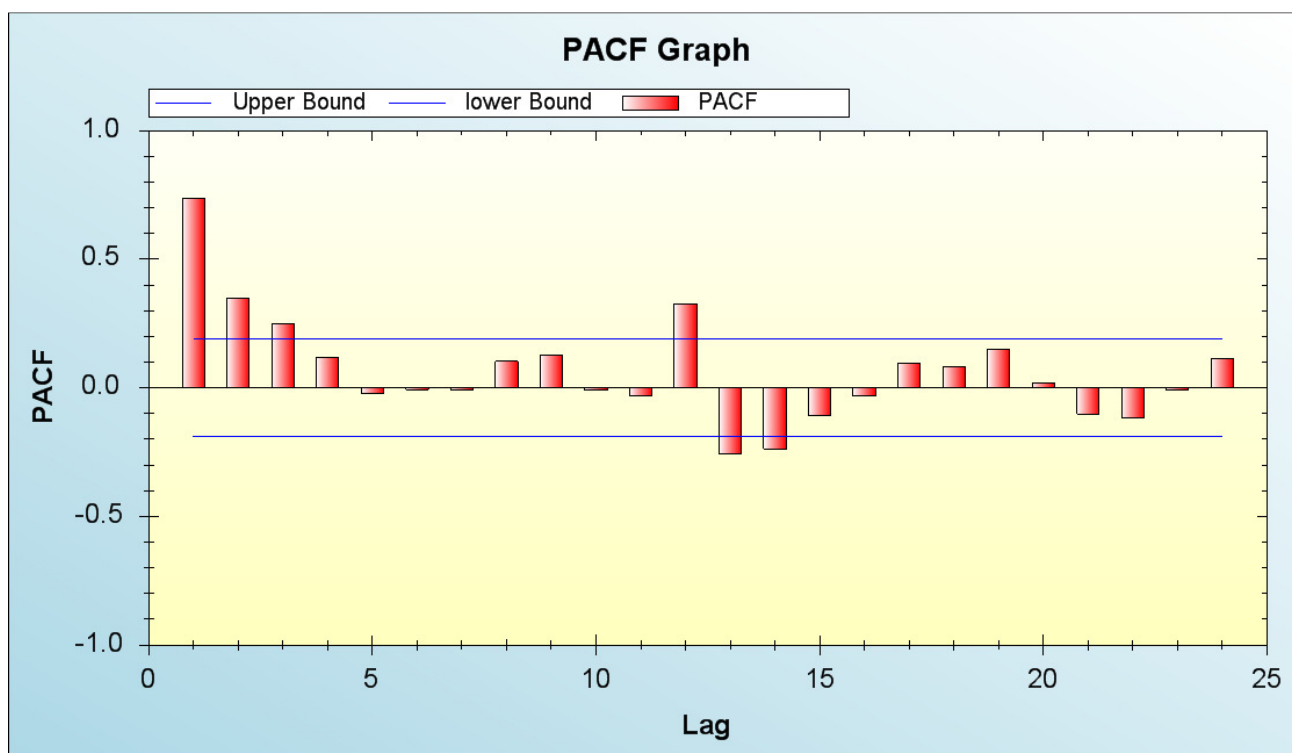


CORRELOGRAMA:

SIMPLE



PARCIAL



	ACF	PACF	Q-Stat	Prob
1	0.7351	0.7351	59.9920	0.000
2	0.7007	0.3490	115.0244	0.000
3	0.6917	-0.2474	169.1648	0.000
4	0.6602	0.1200	218.9587	0.000
5	0.6003	-0.0214	260.5243	0.000
6	0.5686	-0.0075	298.1747	0.000
7	0.5362	-0.0088	331.9884	0.000
8	0.5427	0.1041	366.9746	0.000
9	0.5470	0.1271	402.8820	0.000
10	0.5057	-0.0092	433.8828	0.000
11	0.4828	-0.0307	462.4264	0.000
12	0.5979	0.3259	506.6644	0.000
13	0.4631	-0.2564	533.4791	0.000
14	0.3938	-0.2379	553.0806	0.000
15	0.3728	-0.1087	570.8350	0.000
16	0.3480	-0.0326	586.4766	0.000
17	0.3260	0.0958	600.3492	0.000
18	0.3047	0.0808	612.6026	0.000
19	0.3092	0.1512	625.3633	0.000
20	0.3071	0.0184	638.0938	0.000
21	0.3037	-0.1014	650.6873	0.000
22	0.2651	-0.1155	660.3951	0.000
23	0.2531	-0.0101	669.3505	0.000
24	0.3290	0.1132	684.6633	0.000

DESCOMPOSICIÓN DE LA SERIE:

MÉTODO MULTIPLICATIVO

L. A. R. G.

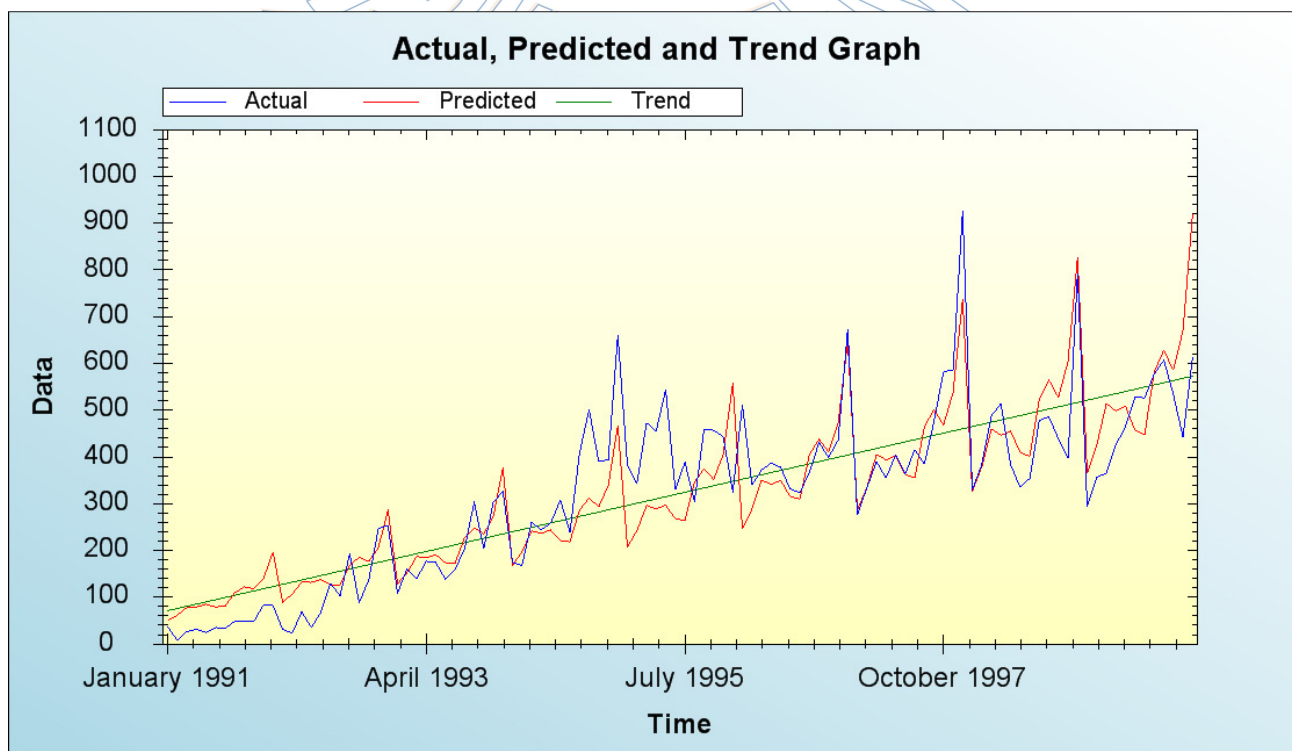
Variable	Value
Model Type	VENTAS
Included Observation	Multiplicative
Seasonal Length	108
	12
Linear Trend Equation	$Y_t = 66.581 + 4.6878 * t$

Seasonal Index

period 1	0.70057
period 2	0.80799
period 3	0.96886
period 4	0.93076
period 5	0.94207
period 6	0.83792
period 7	0.81463
period 8	1.05088
period 9	1.12390
period 10	1.03955
period 11	1.18077
period 12	1.60211

Accuracy Measures

Sum Square Error (SSE)	887885.479313
Mean Absolute Error (MAE)	65.892777
Mean Squared Error (MSE)	8221.161845
Mean Percentage Error (MPE)	-30.181536
Mean Absolute Percentage Error (MAPE)	44.428341



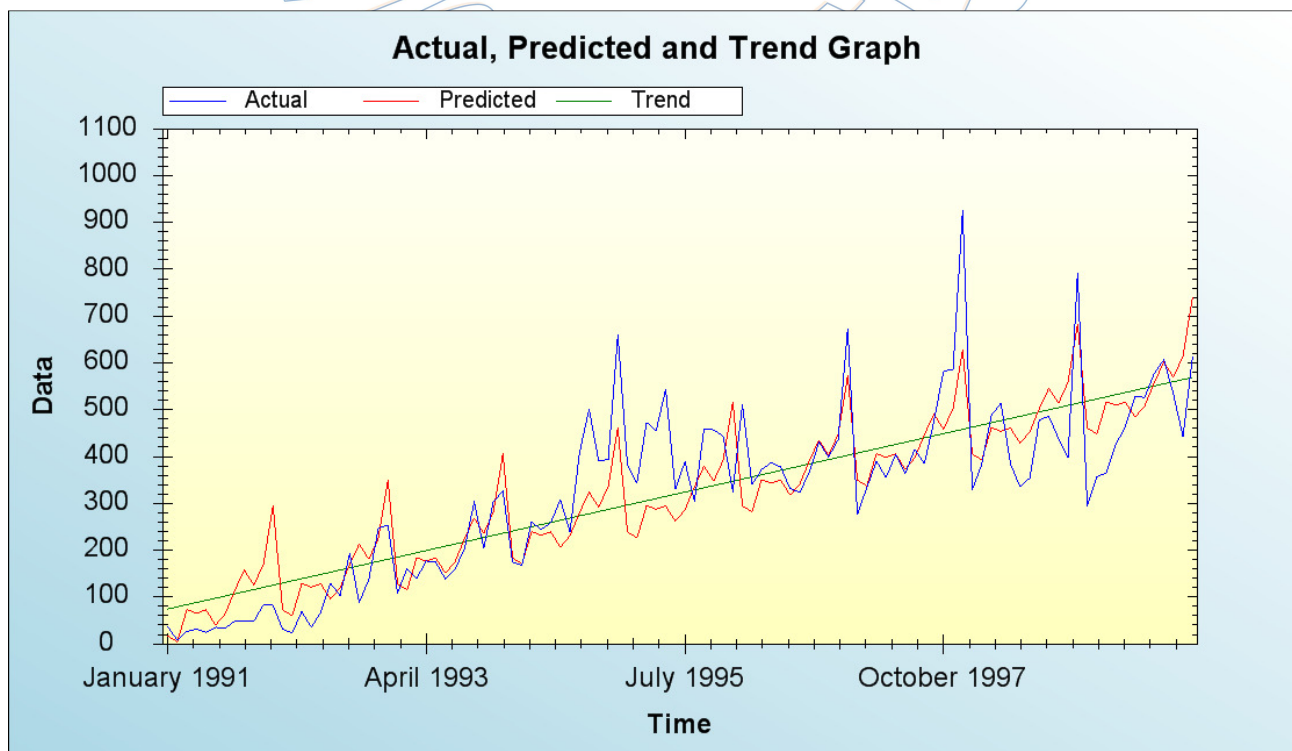
MÉTODO ADITIVO

L. A. R. G.

Variable	Value
Model Type	VENTAS
Included Observation	Additive
Seasonal Length	108
	12
Linear Trend Equation	$Y_t = 69.78 + 4.6245 * t$

Seasonal Index	
period 1	-57.48646
period 2	-74.85729
period 3	-10.53854
period 4	-22.90313
period 5	-20.60104
period 6	-57.51146
period 7	-38.01354
period 8	6.81771
period 9	46.23229
period 10	9.28646
period 11	49.54479
period 12	170.03021

Accuracy Measures	
Sum Square Error (SSE)	874051.140019
Mean Absolute Error (MAE)	66.392223
Mean Squared Error (MSE)	8093.066111
Mean Percentage Error (MPE)	-20.066352
Mean Absolute Percentage Error (MAPE)	36.861462



MODELO DE ALISADO EXPONENCIAL:

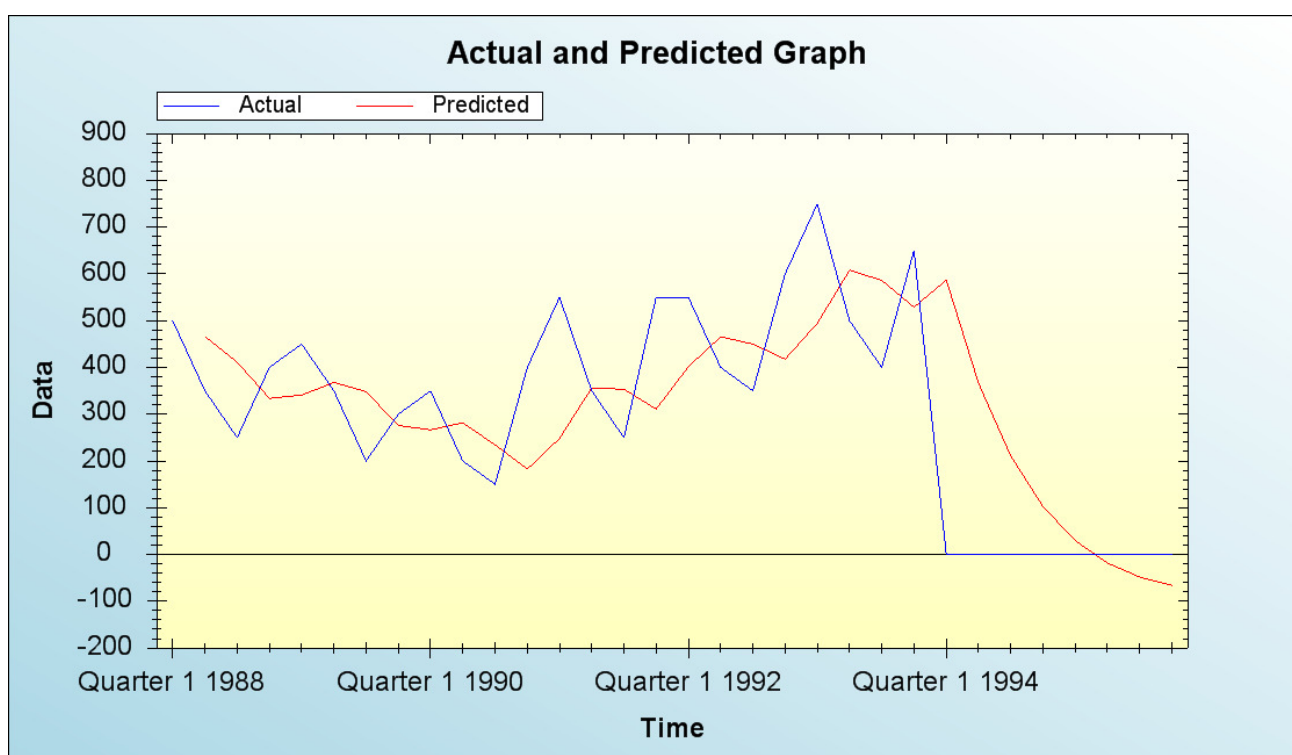
L. A. R. G.

BROWN

Variable	Value
Included Observation	VENTA 32

Smoothing Constant Alpha (for data)	0.200
--	-------

Accuracy Measures	
Mean Absolute Error (MAE)	140.531553
Sum Square Error (SSE)	1043165.177579
Mean Squared Error (MSE)	33650.489599
Mean Percentage Error (MPE)	NaN
Mean Absolute Percentage Error (MAPE)	Infinity

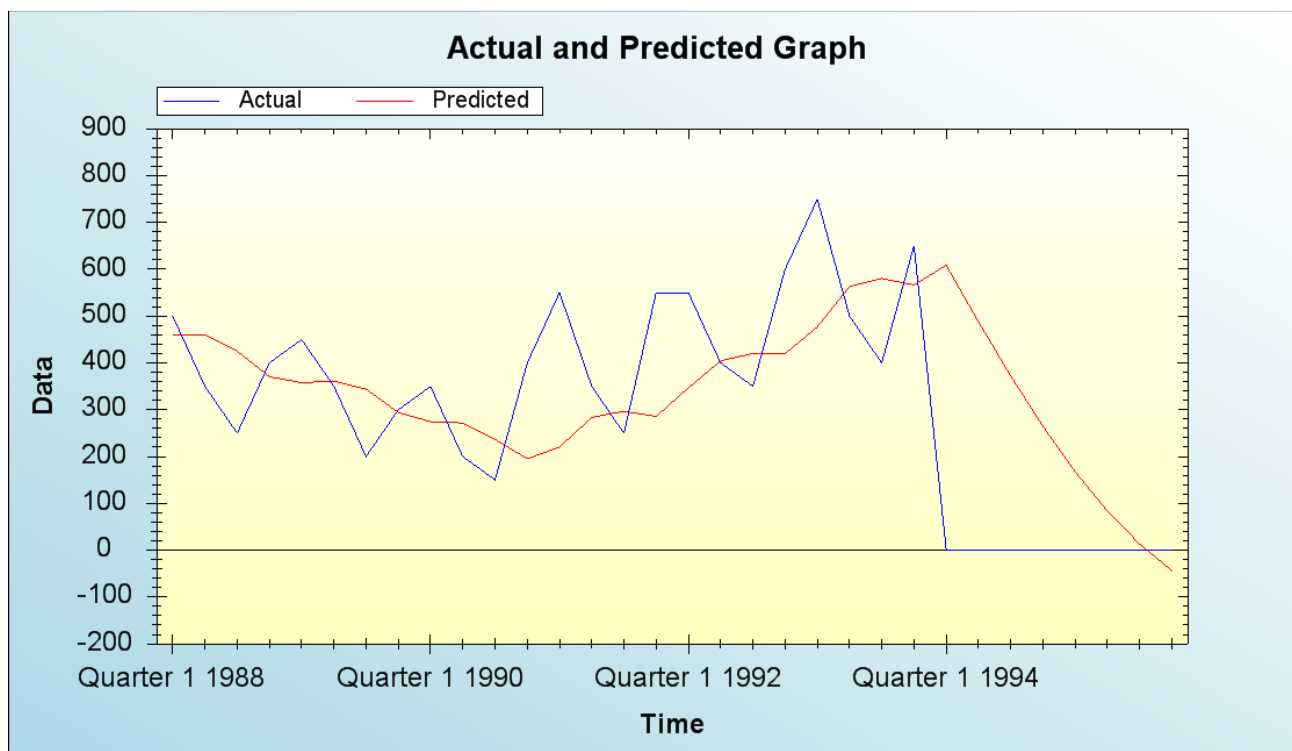
**HOLT**

Variable	Value
Included Observation	VENTA 32

Smoothing Constant Alpha (for data)	0.200
Gamma (for trend)	0.200

Accuracy Measures	
Mean Absolute Error (MAE)	151.671275
Sum Square Error (SSE)	1370760.257164
Mean Squared Error (MSE)	42836.258036
Mean Percentage Error (MPE)	NaN
Mean Absolute Percentage Error (MAPE)	Infinity

L. A. R. G.



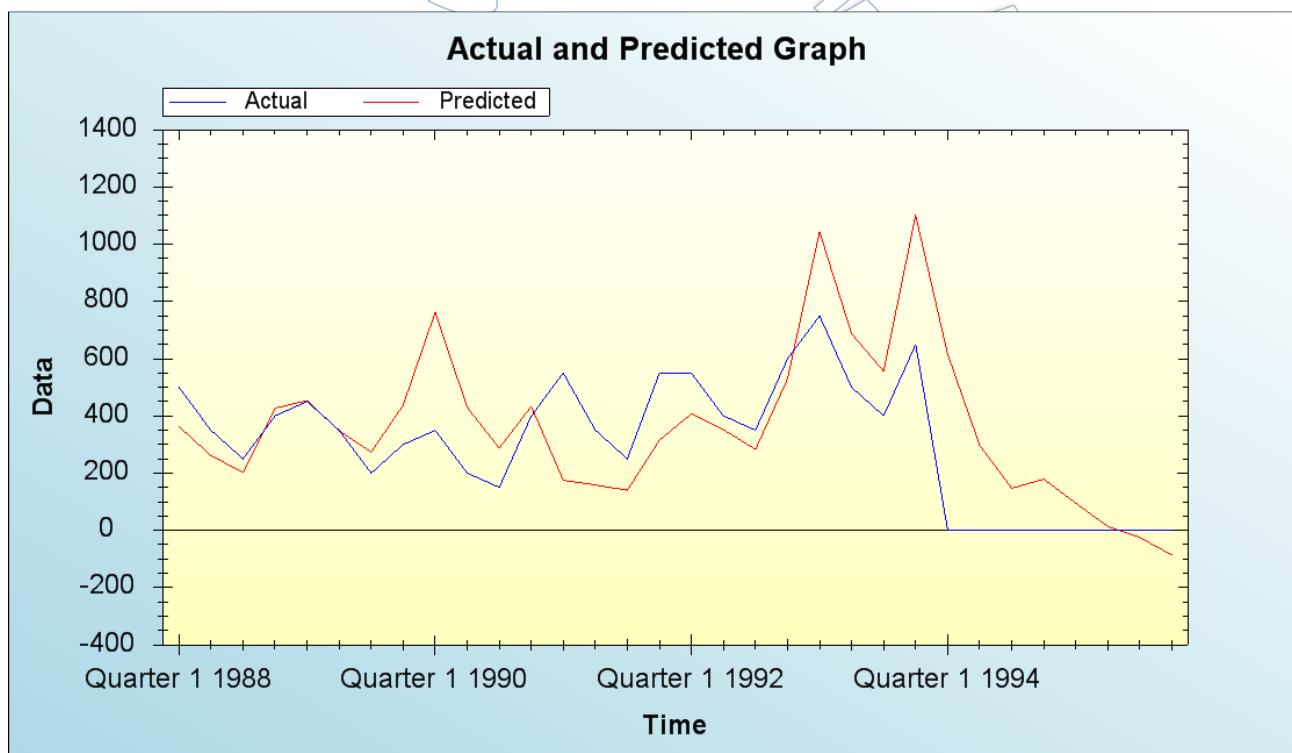
WINTER

Variable	Value
Model Type	VENTA
Included Observation	Multiplicative
Seasonal Length	32
	12
Smoothing Constant	
Alpha (for data)	0.200
Gamma (for trend)	0.200
Beta (for seasonal)	0.200
Accuracy Measures	
Mean Absolute Error (MAE)	159.823267
Sum Square Error (SSE)	1460508.833570
Mean Squared Error (MSE)	45640.901049
Mean Percentage Error (MPE)	NaN
Mean Absolute Percentage Error (MAPE)	Infinity

	Actual	Smoothed	Trend	Seasonal	Predicted	Residual
Quarter 1 1988	500.0000	434.1795	-8.2690	0.9504	363.4894	136.5106
Quarter 2 1988	350.0000	455.1694	-2.4172	0.6431	260.5162	89.4838
Quarter 3 1988	250.0000	473.5972	1.7518	0.4647	203.2184	46.7816
Quarter 4 1988	400.0000	469.2631	0.5346	0.8897	427.3571	-27.3571
Quarter 1 1989	450.0000	469.0643	0.3879	0.9642	453.5403	-3.5403
Quarter 2 1989	350.0000	469.9144	0.4804	0.7425	348.2857	1.7143
Quarter 3 1989	200.0000	445.1645	-4.5657	0.5546	273.2918	-73.2918
Quarter 4 1989	300.0000	412.9272	-10.1000	0.9394	437.3322	-137.3322
Quarter 1 1990	350.0000	359.2381	-18.8178	1.7093	762.5938	-412.5938
Quarter 2 1990	200.0000	304.0081	-26.1003	1.1419	429.9338	-229.9338

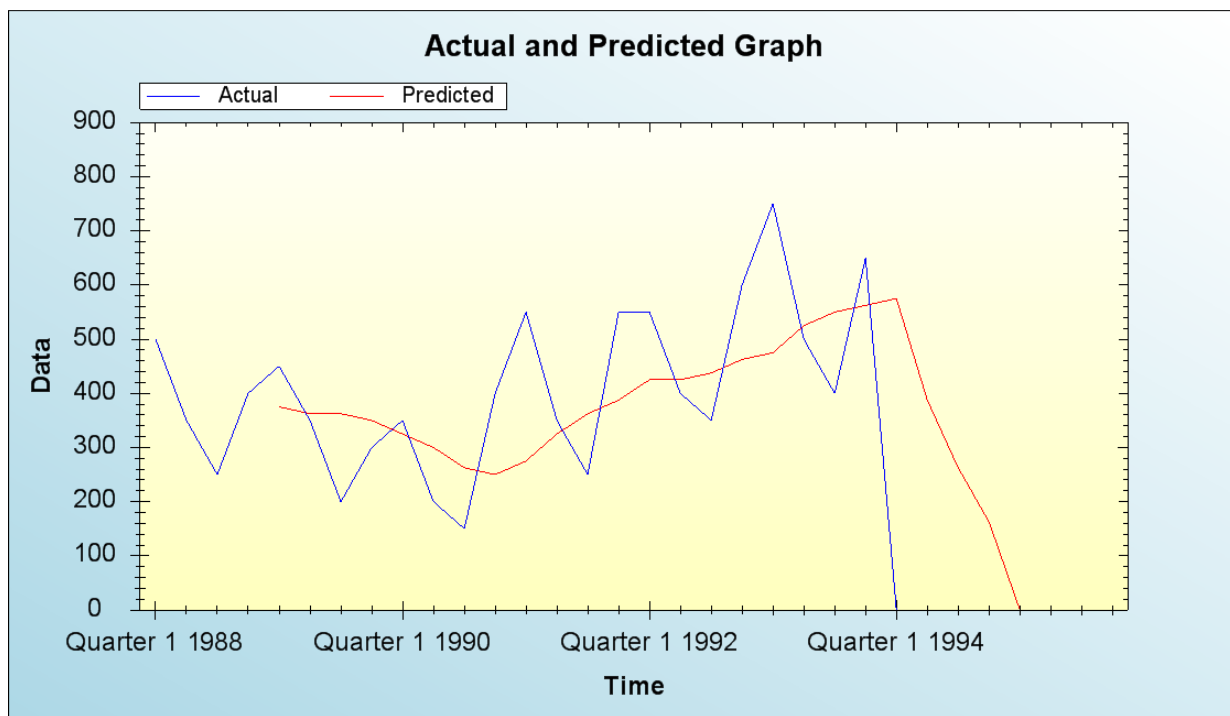
L. A. R. G.

Quarter 3 1990	150.0000	251.3113	-31.4196	0.9474	287.6390	-137.6390
Quarter 4 1990	400.0000	216.4899	-32.0999	1.9468	433.5349	-33.5349
Quarter 1 1991	550.0000	263.2558	-16.3268	1.1781	175.2396	374.7604
Quarter 2 1991	350.0000	306.3869	-4.4352	0.7430	158.8060	191.1940
Quarter 3 1991	250.0000	349.1679	5.0080	0.5149	140.3037	109.6963
Quarter 4 1991	550.0000	406.9764	15.5681	0.9821	315.1142	234.8858
Quarter 1 1992	550.0000	452.1213	21.4835	1.0146	407.4120	142.5880
Quarter 2 1992	400.0000	486.6306	24.0887	0.7584	351.6430	48.3570
Quarter 3 1992	350.0000	534.7830	28.9014	0.5746	283.2661	66.7339
Quarter 4 1992	600.0000	578.6924	31.9030	0.9589	529.5099	70.4901
Quarter 1 1993	750.0000	576.2294	25.0298	1.6278	1043.7152	-293.7152
Quarter 2 1993	500.0000	568.5780	18.4936	1.0894	686.5994	-186.5994
Quarter 3 1993	400.0000	554.1001	11.8993	0.9023	556.1837	-156.1837
Quarter 4 1993	650.0000	519.5757	2.6145	1.8076	1101.8871	-451.8871
Quarter 1 1994	0.0000	417.7522	-18.2731	0.9425	615.2156	-615.2156
Quarter 2 1994	0.0000	319.5833	-34.2522	0.5944	296.8004	-296.8004
Quarter 3 1994	0.0000	228.2649	-45.6655	0.4119	146.9234	-146.9234
Quarter 4 1994	0.0000	146.0795	-52.9695	0.7856	179.3226	-179.3226
Quarter 1 1995	0.0000	74.4881	-56.6939	0.8117	94.4739	-94.4739
Quarter 2 1995	0.0000	14.2354	-57.4056	0.6067	13.4948	-13.4948
Quarter 3 1995	0.0000	-34.5362	-55.6788	0.4597	-24.8060	24.8060
Quarter 4 1995	0.0000	-72.1720	-52.0702	0.7671	-86.5038	86.5038



PROMEDIO MÓVIL:

SIMPLE

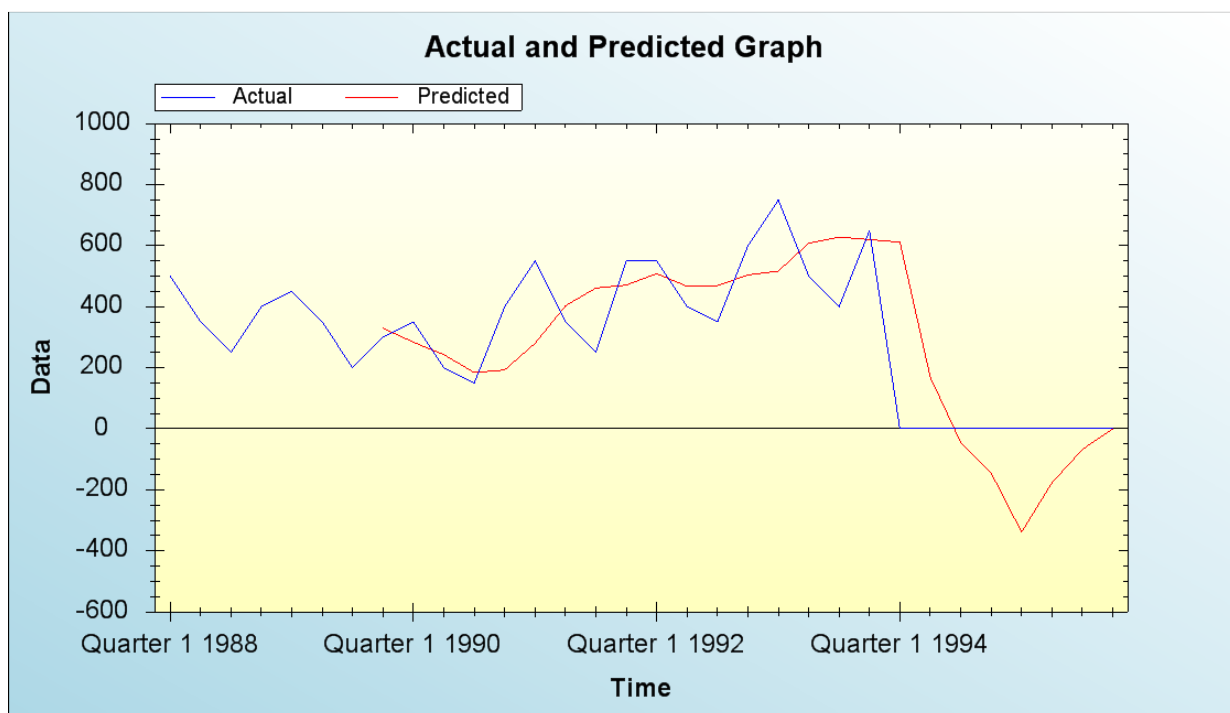


DOBLE

Variable	Value
Model MA	VENTA
Included Observation	(4 X 4)
	25

Accuracy Measures

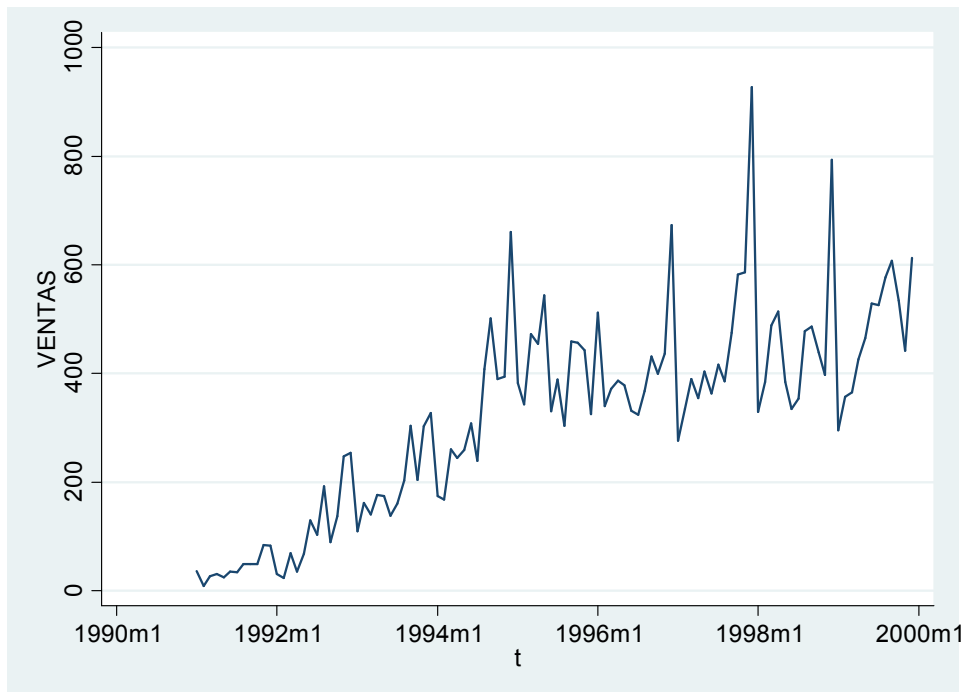
Mean Absolute Error (MAE)	138.791667
Sum Square Error (SSE)	902344.835069
Mean Squared Error (MSE)	36093.793403
Mean Percentage Error (MPE)	NaN
Mean Absolute Percentage Error (MAPE)	NaN



STATA

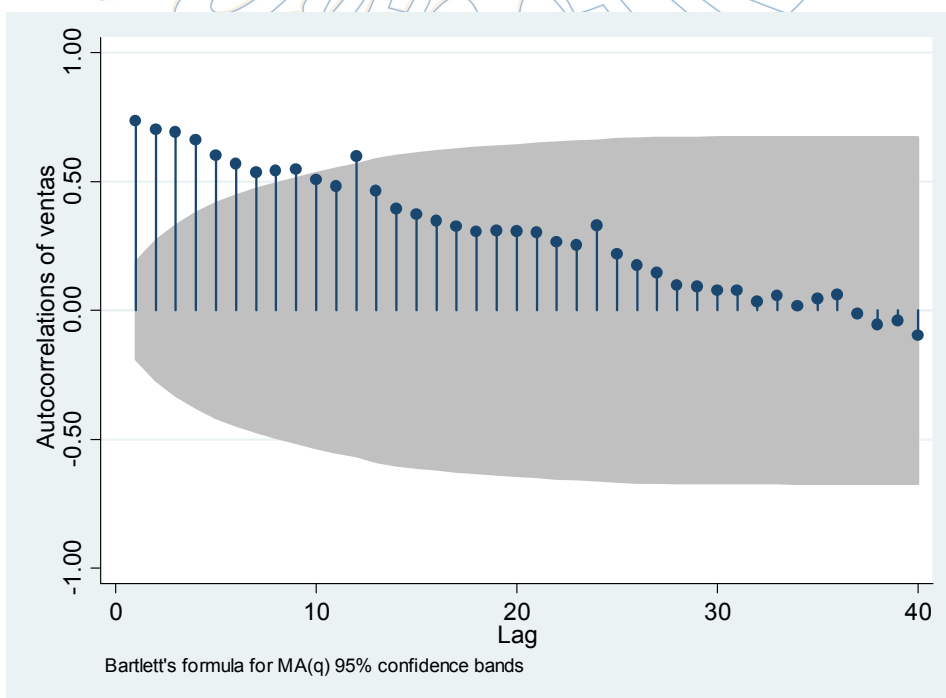
PLOTEO:

tsline ventas

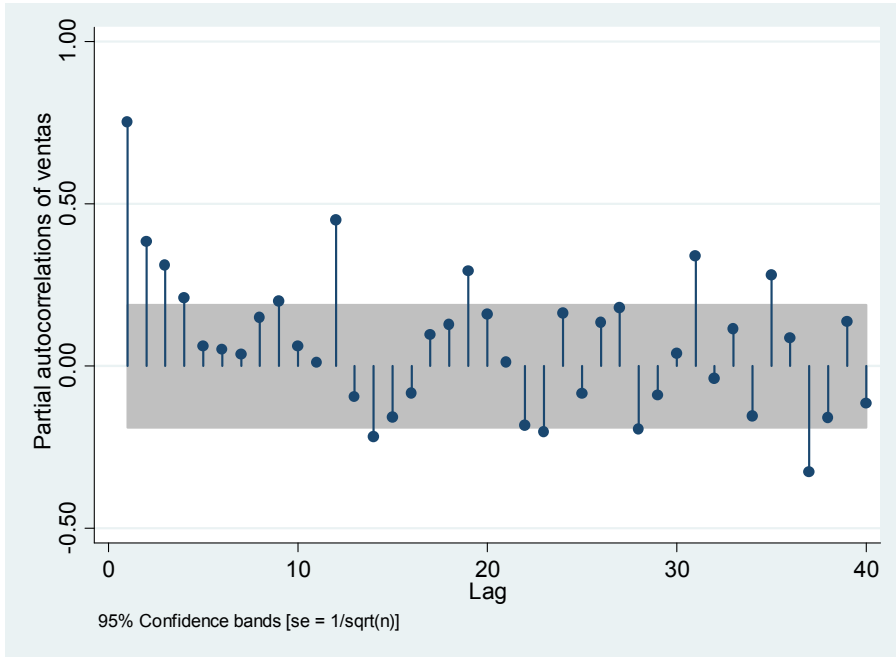


CORRELOGRAMA:

ac ventas



pac ventas

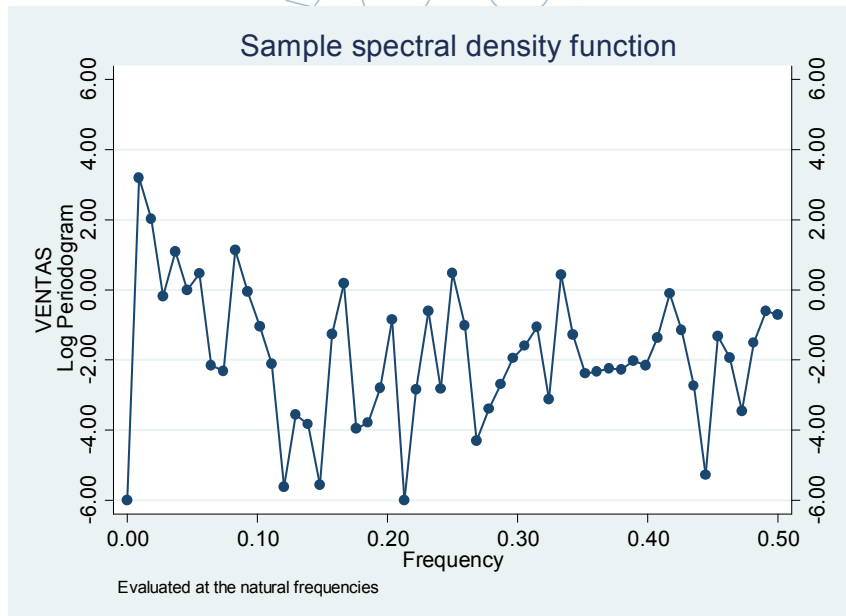


. corrgram ventas, lags(12)

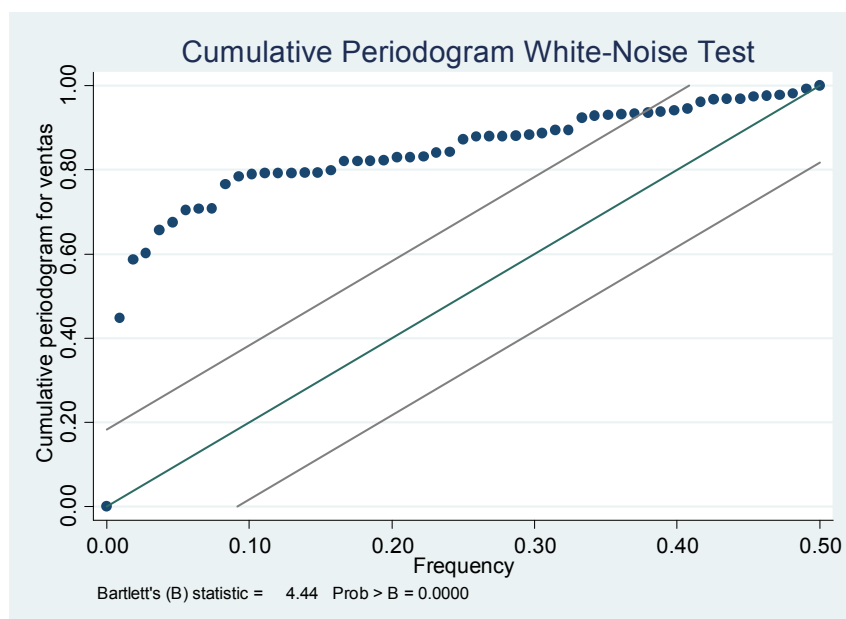
LAG	AC	PAC	Q	Prob>Q	-1 [Autocorrelation]	0 [Partial Autocor]	1
1	0.7351	0.7528	59.992	0.0000			
2	0.7007	0.3828	115.02	0.0000			
3	0.6917	0.3102	169.16	0.0000			
4	0.6602	0.2104	218.96	0.0000			
5	0.6003	0.0604	260.52	0.0000			
6	0.5686	0.0504	298.17	0.0000			
7	0.5362	0.0349	331.99	0.0000			
8	0.5427	0.1503	366.97	0.0000			
9	0.5470	0.2006	402.88	0.0000			
10	0.5057	0.0613	433.88	0.0000			
11	0.4828	0.0111	462.43	0.0000			
12	0.5979	0.4510	506.66	0.0000			

PERIDIOGRAMA:

pergram ventas



wntestb ventas



MODELO DE ALISADO EXPONENCIAL:

BROWN SIMPLE

```
. tssmooth exponential ventasbs=ventas
computing optimal exponential coefficient (0,1)

optimal exponential coefficient =          0.2892
sum-of-squared residuals       =          1224513.4
root mean squared error       =          106.48046
```

BROWN DOBLE

```
. tssmooth dexponential ventasbd=ventas
computing optimal double-exponential coefficient (0,1)

optimal double-exponential coefficient =          0.0760
sum-of-squared residuals              =          3945677.9
root mean squared error               =          191.13884
```

HOLT WINTER NO ESTACIONAL

```
. tssmooth hwinters ventashw=ventas
computing optimal weights

Iteration 0: penalized RSS = -1678816.7 (not concave)
Iteration 1: penalized RSS = -1247923.8 (not concave)
Iteration 2: penalized RSS = -1153656.8
Iteration 3: penalized RSS = -1141919.4
Iteration 4: penalized RSS = -1140999.9
Iteration 5: penalized RSS = -1140993.8
Iteration 6: penalized RSS = -1140993.8

Optimal weights:
alpha = 0.1918
beta = 0.0184
penalized sum-of-squared residuals = 1140994
sum-of-squared residuals = 1140994
root mean squared error = 102.785
```

L. A. R. G.

HOLT WINTER ESTACIONAL

```
. tssmooth shwinters ventassh=ventas, snt_v(fe)
computing optimal weights
```

```
Iteration 0: penalized RSS = -16016914 (not concave)
Iteration 1: penalized RSS = -13523942 (not concave)
Iteration 2: penalized RSS = -13285023 (not concave)
Iteration 3: penalized RSS = -13158856
Iteration 4: penalized RSS = -12510529
Iteration 5: penalized RSS = -12466016
Iteration 6: penalized RSS = -12438593
Iteration 7: penalized RSS = -12438173
Iteration 8: penalized RSS = -12438173
```

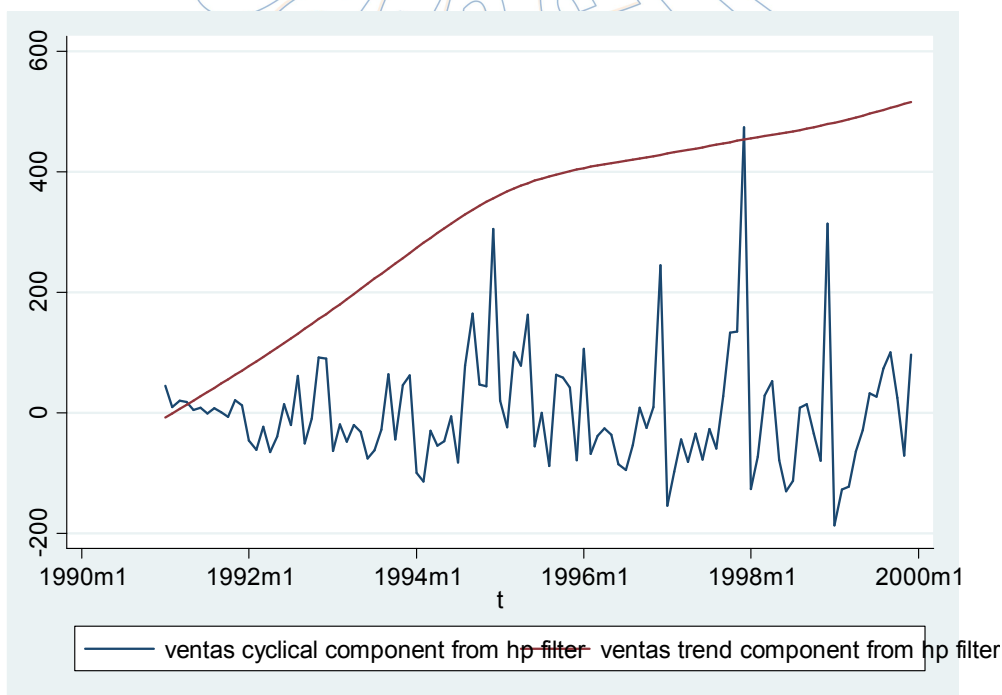
Optimal weights:

```
alpha = 0.4959
beta = 0.5684
gamma = 0.4832
penalized sum-of-squared residuals = 1.24e+07
sum-of-squared residuals = 1.24e+07
root mean squared error = 339.3645
```

FILTROS:

HODRICK-PRESCOTT

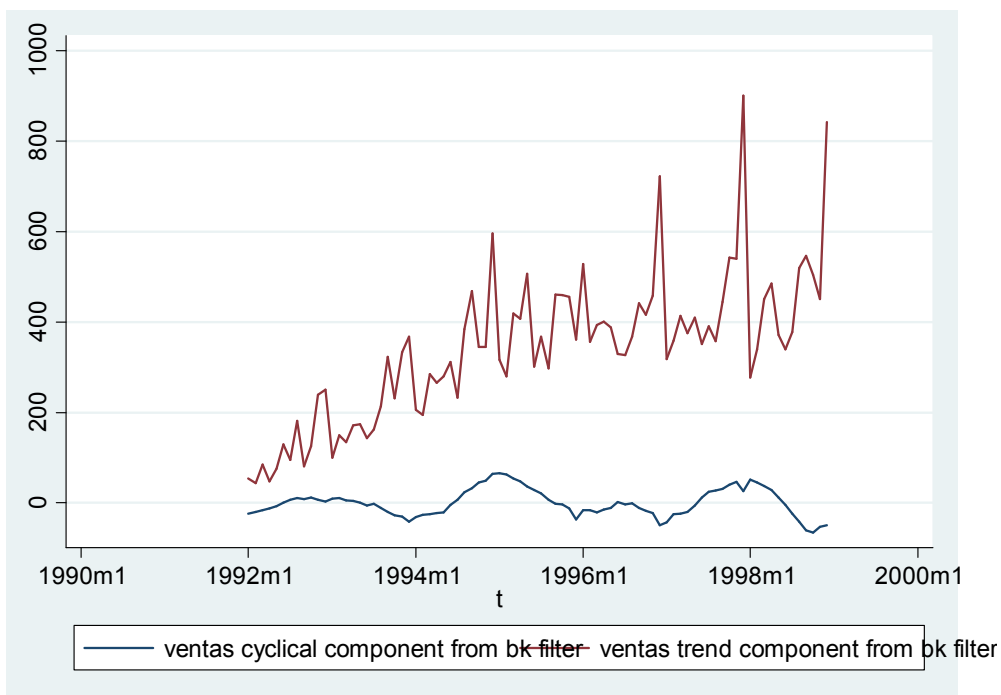
```
. tsfilter hp ventashp=ventas, smooth(14400) trend(ventast)
. tsline ventashp ventast
```



BASTER-KING

```
. tsfilter bk ventasbk=ventas, smaorder(12) trend(ventastbk)
```

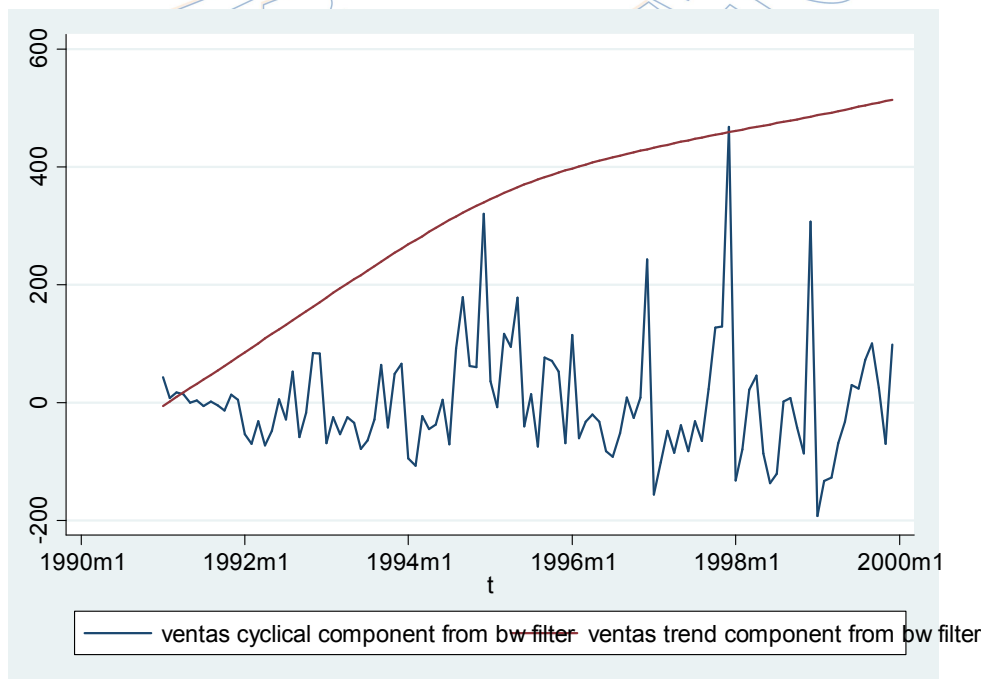
```
. tsline ventasbk ventastbk
```



BUTTERWORTH

```
. tsfilter bw ventasbw=ventas, trend(ventastbw)
```

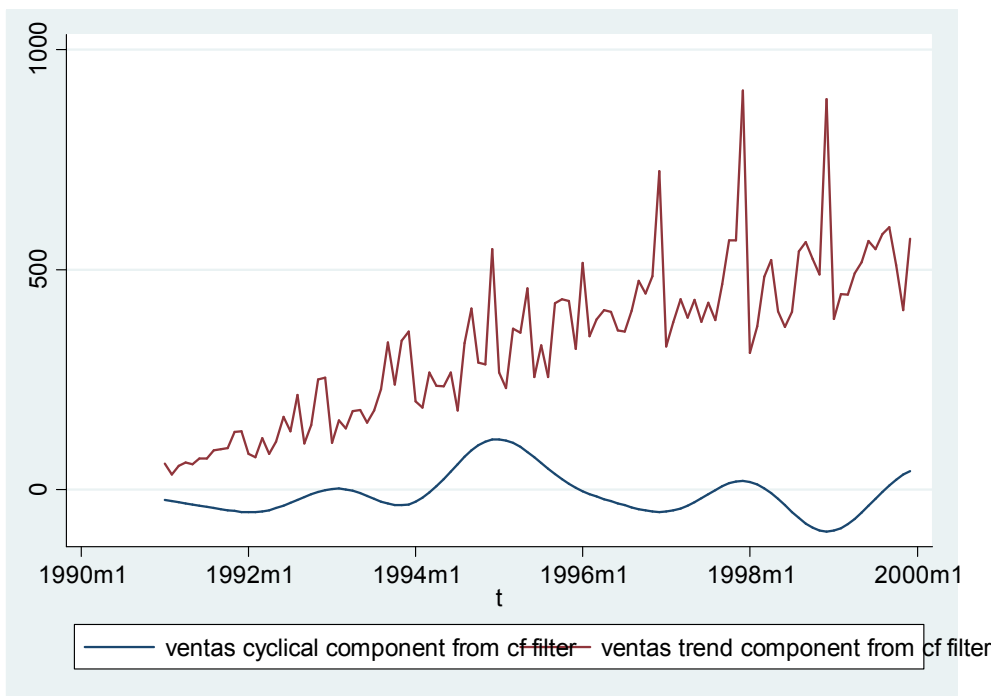
```
. tsline ventasbw ventastbw
```



CHRISTIANO-FITZGERALD

```
. tsfilter cf ventascf=ventas, trend(ventastcf)
```

```
. tsline ventascf ventastcf
```



TEST DE RAIZ UNITARIA:

DICKEY-FULLER

Veentas tiene tendencia e intercepto.

```
. dfuller ventas, trend
```

Dickey-Fuller test for unit root Number of obs = 107

Test Statistic	Interpolated Dickey-Fuller		
	1% Critical Value	5% Critical Value	10% Critical Value
z(t)	-7.555	-4.038	-3.449

Mackinnon approximate p-value for z(t) = 0.0000

```
. dfuller ventas, trend regress
```

Dickey-Fuller test for unit root Number of obs = 107

Test Statistic	Interpolated Dickey-Fuller		
	1% Critical Value	5% Critical Value	10% Critical Value
z(t)	-7.555	-4.038	-3.449

Mackinnon approximate p-value for z(t) = 0.0000

D.ventas	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]	
ventas						
L1.	-.7088921	.0938269	-7.56	0.000	-.8949545	-.5228298
_trend	3.396509	.5567975	6.10	0.000	2.292359	4.50066
_cons	48.17759	21.24763	2.27	0.025	6.042747	90.31243

PHILLIPS-PERRONN

. dfgls ventas

DF-GLS for ventas

Number of obs = 95

Maxlag = 12 chosen by Schwert criterion

[lags]	DF-GLS tau Test Statistic	1% Critical Value	5% Critical Value	10% Critical Value
12	-1.087	-3.570	-2.760	-2.486
11	-0.950	-3.570	-2.789	-2.514
10	-1.882	-3.570	-2.817	-2.541
9	-1.855	-3.570	-2.845	-2.567
8	-1.945	-3.570	-2.872	-2.592
7	-2.373	-3.570	-2.898	-2.616
6	-2.721	-3.570	-2.922	-2.640
5	-2.763	-3.570	-2.946	-2.661
4	-2.852	-3.570	-2.968	-2.681
3	-2.972	-3.570	-2.988	-2.700
2	-3.617	-3.570	-3.007	-2.717
1	-4.889	-3.570	-3.024	-2.732

Opt Lag (Ng-Perron seq t) = 11 with RMSE 95.33724

Min SC = 9.466304 at lag 1 with RMSE 108.3337

Min MAIC = 9.433874 at lag 11 with RMSE 95.33724

. dfgls ventas, maxlag(8)

DF-GLS for ventas

Number of obs = 99

[lags]	DF-GLS tau Test Statistic	1% Critical Value	5% Critical Value	10% Critical Value
8	-1.967	-3.570	-2.872	-2.593
7	-2.403	-3.570	-2.897	-2.616
6	-2.757	-3.570	-2.921	-2.638
5	-2.801	-3.570	-2.943	-2.658
4	-2.893	-3.570	-2.964	-2.677
3	-3.017	-3.570	-2.983	-2.695
2	-3.672	-3.570	-3.001	-2.711
1	-4.970	-3.570	-3.017	-2.725

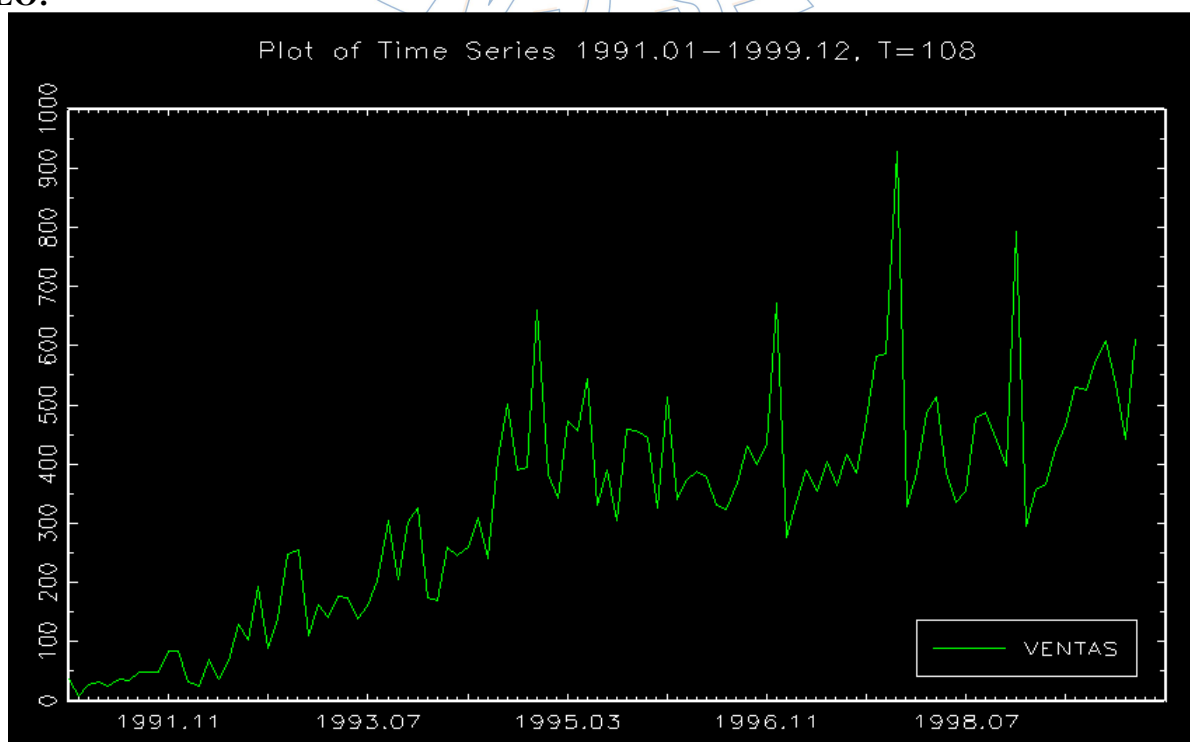
Opt Lag (Ng-Perron seq t) = 2 with RMSE 104.6655

Min SC = 9.427036 at lag 1 with RMSE 106.389

Min MAIC = 9.701753 at lag 8 with RMSE 102.1697

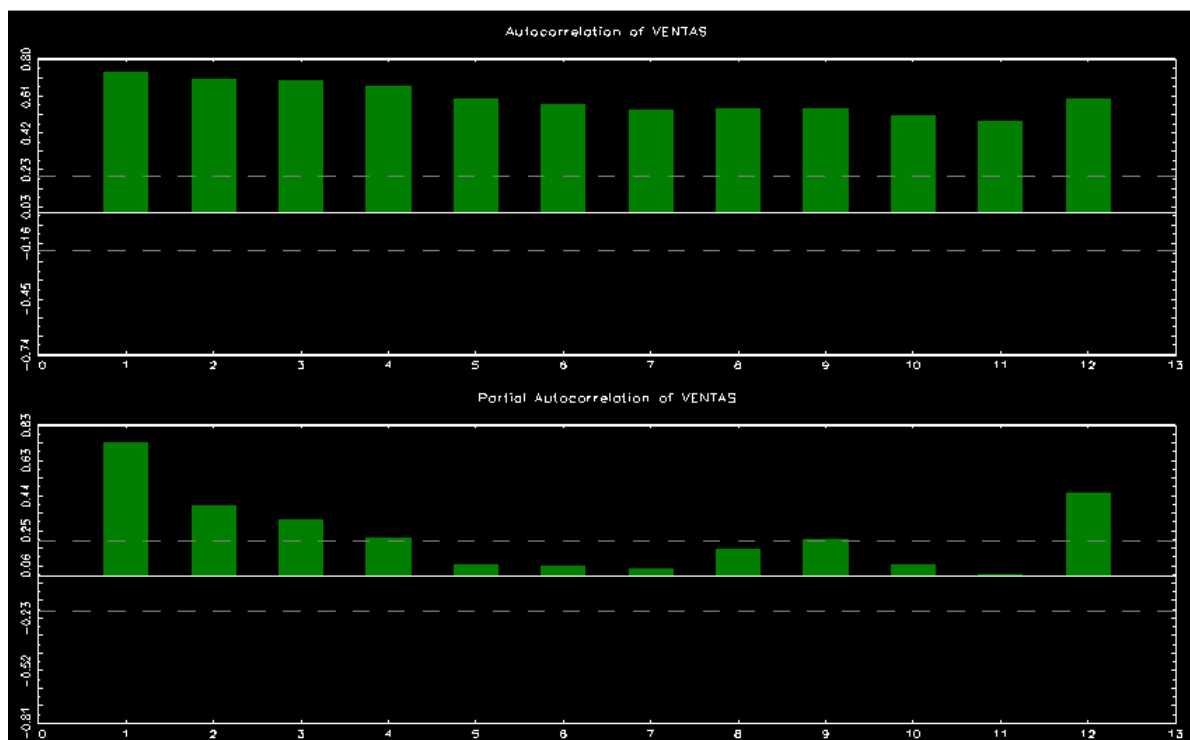
JMULTI

PLOTEO:



L. A. R. G.

CORRELOGRAMA:



AUTOCORRELATION FUNCTION (p <= 20)

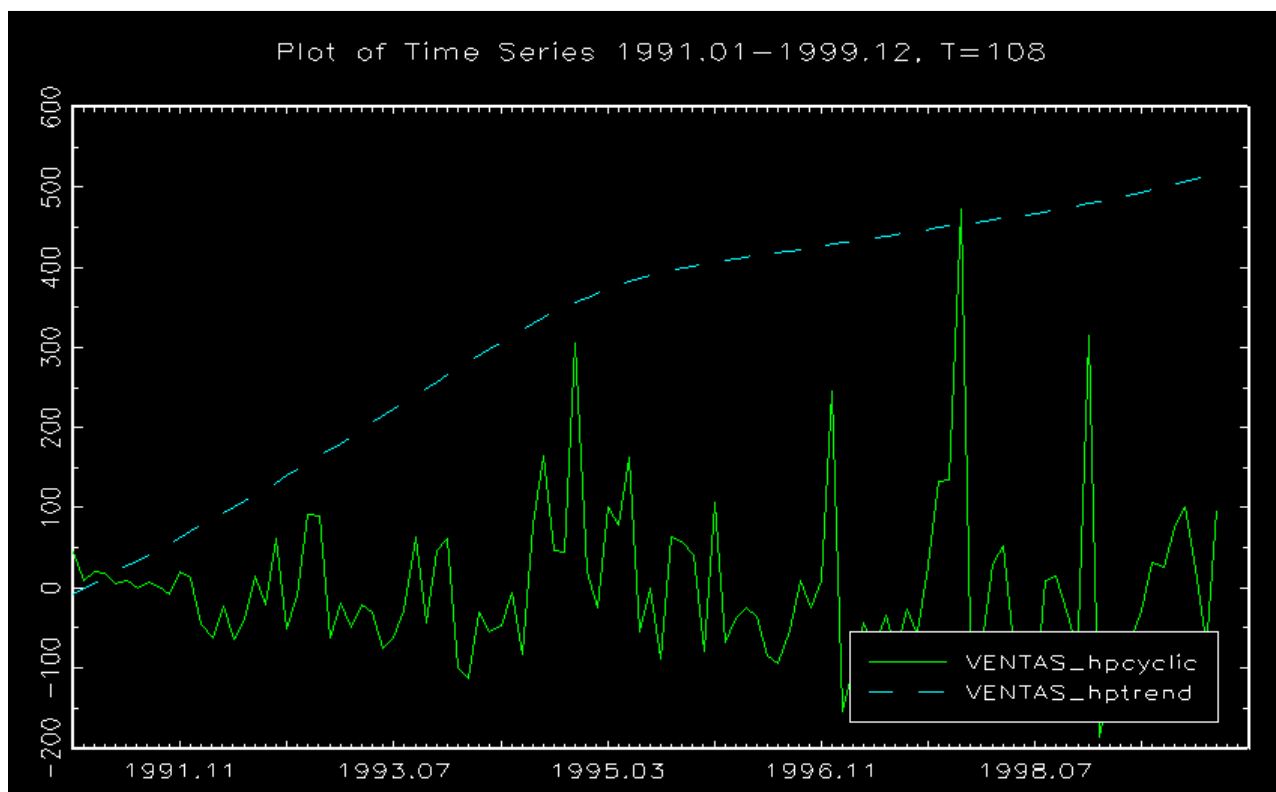
VENTAS

port	580.5555	
p-val	0.0000	
L&B	638.0938	
p-val	0.0000	
lag	ac	pac
1	0.7351	0.7351
2	0.7007	0.3828
3	0.6917	0.3102
4	0.6602	0.2104
5	0.6003	0.0604
6	0.5686	0.0504
7	0.5362	0.0349
8	0.5427	0.1503
9	0.5470	0.2006
10	0.5057	0.0613
11	0.4828	0.0111
12	0.5979	0.4510
13	0.4631	-0.0948
14	0.3938	-0.2184
15	0.3728	-0.1569
16	0.3480	-0.0842
17	0.3260	0.0965
18	0.3047	0.1284
19	0.3092	0.2927
20	0.3071	0.1607

FILTROS:

HODRICK-PRESCOTT

L. A. R. G.



TEST DE RAÍZ UNITARIA:

DICKEY-FULLER AUMENTADO

ADF Test for series: VENTAS
 sample range: [1991 M3, 1999 M12], T = 106
 lagged differences: 1
 intercept, time trend
 asymptotic critical values
 reference: Davidson, R. and MacKinnon, J. (1993),
 "Estimation and Inference in Econometrics" p 708, table 20.1,
 Oxford University Press, London

1%	5%	10%
-3.96	-3.41	-3.13

value of test statistic: -5.1283
 regression results:

variable	coefficient	t-statistic
x(-1)	-0.5971	-5.1283
dx(-1)	-0.1604	-1.6280
constant	199.8462	5.1410
trend	2.8203	4.3276
RSS	1117702.5267	

OPTIMAL ENDOGENOUS LAGS FROM INFORMATION CRITERIA

sample range: [1992 M2, 1999 M12], T = 95

optimal number of lags (searched up to 12 lags of 1. differences):

Akaike Info Criterion:	11
Final Prediction Error:	11
Hannan-Quinn Criterion:	0
Schwarz Criterion:	0

L. A. R. G.

KPSS

KPSS test for series: VENTAS
 sample range: [1991 M1, 1999 M12], T = 108
 number of lags: 2
 KPSS test based on $y(t)=a+bt+e(t)$ (trend stationarity)
 asymptotic critical values:
 10% 5% 1%
 0.119 0.146 0.216
 value of test statistic: 0.3872
 reference: reprinted from JOURNAL OF ECONOMETRICS,
 Vol 54, No 1, 1992, pp 159-178, Kwiatkowski et al:
 "Testing the null hypothesis of stationarity ...",
 with permission from Elsevier Science

SCHMIDT-PHILLIPS

Schmidt-Phillips test for series: VENTAS
 sample range: [1991 M1, 1999 M12], T = 108
 number of lags: 2
 reference: Schmidt, P. and Phillips, P. C. B. (1992),
 "LM tests for a unit root in the presence of deterministic trends",
 Oxford Bulletin of Economics and Statistics, vol. 54, p. 257-287, table 1A
 critical values (T=2000, Z(tau) statistic):
 1% 5% 10%
 -3.56 -3.02 -2.75
 value of test statistic: -7.5201

HEGY

HEGY Test for series: VENTAS
 sample range: [1992 M3, 1999 M12], T = 94
 lagged differences: 2
 intercept, time trend
 regression results:

variable	coefficient	t-statistic
const	63.8173	2.1100
trend	0.9807	0.9845
pi1	0.0062	0.2751
pi2	-0.0266	-0.6863
pi3	-0.0480	-1.1554
pi4	0.0030	0.0546
pi5	-0.1088	-2.1040
pi6	-0.1475	-2.7913
pi7	0.0446	1.1666
pi8	-0.0965	-1.7175
pi9	-0.1354	-2.3624
pi10	-0.1024	-2.1923
pi11	0.1381	2.1014
pi12	-0.1625	-2.9398
AR1	0.0367	0.2891
AR2	0.2416	1.9535
sigma:	100.0932	

critical values
 reference: P.H. Franses and B. Hobijn (1997)
 Numbers from all the tables in
 "Critical values for unit root tests in seasonal time series",

Journal of Applied Statistics 24: 25-46
Taylor & Francis Ltd., www.tandf.co.uk/journals

statistic	1%	5%	10%
t(pi1)	-3.93	-3.37	-3.09
t(pi2)	-2.54	-1.94	-1.59
F34	4.71	3.05	2.35
F56	4.60	3.05	2.38
F78	4.69	3.08	2.39
F910	4.73	3.08	2.34
F1112	4.65	3.09	2.39
F1-12	2.36	1.88	1.66
F2-12	2.75	2.30	2.07

values of test statistics:

t(pi1):	0.2751
t(pi2):	-0.6863
F34:	0.6695
F56:	3.9452
F78:	1.7051
F910:	3.2579
F1112:	4.4576
F1-12:	2.3589
F2-12:	2.3889

OPTIMAL ENDOGENOUS LAGS FROM INFORMATION CRITERIA

sample range: [1992 M11, 1999 M12], T = 86

optimal number of lags (searched up to 10 lags of 12. differences):

Akaike Info Criterion:	3
Final Prediction Error:	3
Hannan-Quinn Criterion:	0
Schwarz Criterion:	0

UR

UR Test with structural break for series: VENTAS

sample range: [1991 M4, 1999 M12], T = 105

number of lags (1st diff):	2
value of test statistic:	-3.8762
used break date:	1991 M6
shiftfunction:	shift dummy
time trend included	
critical values (Lanne et al. 2002):	

T	1%	5%	10%
1000	-3.55	-3.03	-2.76

regression results:

variable	coefficient	t-statistic
d(trend)	4.9353	0.0455
d(const)	15.8188	1.5140
d(shiftfkt)	-2.0271	-0.1940
dx(-1)	-0.6144	-6.7978
dx(-2)	-0.3432	-3.7979

OPTIMAL ENDOGENOUS LAGS FROM INFORMATION CRITERIA

L. A. R. G.

ANÁLISIS DE COINTEGRACIÓN

GRET

ENGLE – GRANGER

$$IB_t = \beta_0 + \beta_1 PBI_t + u_t$$

Etapla 1: contrastando la existencia de una raíz unitaria en IB

Contraste aumentado de Dickey-Fuller para IB
incluyendo 3 retardos de (1-L)IB (el máximo fue 7)
tamaño muestral 145
hipótesis nula de raíz unitaria: $a = 1$

con constante y tendencia
modelo: $(1-L)y = b_0 + b_1*t + (a-1)*y(-1) + \dots + e$
Coef. de autocorrelación de primer orden de e: 0.009
diferencias retardadas: $F(3, 139) = 7.651 [0.0001]$
valor estimado de $(a - 1)$: -0.192282
Estadístico de contraste: $\tau_{ct}(1) = -4.41815$
valor p asintótico 0.001992

Etapla 2: contrastando la existencia de una raíz unitaria en PBI

Contraste aumentado de Dickey-Fuller para PBI
incluyendo un retardo de (1-L)PBI (el máximo fue 7)
tamaño muestral 145
hipótesis nula de raíz unitaria: $a = 1$

con constante y tendencia
modelo: $(1-L)y = b_0 + b_1*t + (a-1)*y(-1) + \dots + e$
Coef. de autocorrelación de primer orden de e: -0.049
valor estimado de $(a - 1)$: -0.0404284
Estadístico de contraste: $\tau_{ct}(1) = -2.08376$
valor p asintótico 0.5544

Etapla 3: regresión cointegrante

Regresión cointegrante -
MCO, usando las observaciones 1950:1-1988:1 (T = 153)
Variable dependiente: IB

	Coeficiente	Desv. Típica	Estadístico t	Valor p	
const	-185.179	19.4754	-9.508	4.53e-017	***
PBI	0.337910	0.0184626	18.30	4.68e-040	***
time	-2.92224	0.332517	-8.788	3.26e-015	***
Media de la vble. dep.	401.1804	D.T. de la vble. dep.	145.1782		
Suma de cuad. residuos	104229.9	D.T. de la regresión	26.36031		
R-cuadrado	0.967465	R-cuadrado corregido	0.967032		
Log-verosimilitud	-716.1772	Criterio de Akaike	1438.354		
Criterio de Schwarz	1447.446	Crit. de Hannan-Quinn	1442.047		
rho	0.838238	Durbin-Watson	0.323994		

Etapa 4: contrastando la existencia de una raíz unitaria en uhat

Contraste aumentado de Dickey-Fuller para uhat
 incluyendo 3 retardos de $(1-L)uhat$ (el máximo fue 7)
 tamaño muestral 145
 hipótesis nula de raíz unitaria: $a = 1$

modelo: $(1-L)y = b_0 + b_1*t + (a-1)*y(-1) + \dots + e$
 Coef. de autocorrelación de primer orden de e: 0.003
 diferencias retardadas: $F(3, 141) = 6.311 [0.0005]$
 valor estimado de $(a - 1)$: -0.252612
 Estadístico de contraste: $\tau_{ct}(2) = -5.10938$
 valor p asintótico 0.0005373

Hay evidencia de una relación cointegrante si:

- (a) La hipótesis de existencia de raíz unitaria no se rechaza para las variables individuales.
 (b) La hipótesis de existencia de raíz unitaria se rechaza para los residuos (uhat) de la regresión cointegrante.

JOHANSEN

Contraste de Johansen:
 Número de ecuaciones = 3
 Orden del retardo = 4
 Periodo de estimación: 1951:1 - 1988:1 (T = 149)
 Caso 3: constante no restringida

Log-verosimilitud = -942.239 (Incluyendo un término constante: -1365.08)

Rango	Valor propio	Estad. traza	Valor p	Estad. Lmáx	Valor p
0	0.37622	77.249	[0.0000]	70.321	[0.0000]
1	0.042027	6.9287	[0.5920]	6.3975	[0.5701]
2	0.0035586	0.53118	[0.4661]	0.53118	[0.4661]

Corregido por el tamaño muestral (g1 = 136)

Rango	Estad. traza	Valor p
0	77.249	[0.0000]
1	6.9287	[0.5981]
2	0.53118	[0.4706]

valor propio	0.37622	0.042027	0.0035586
--------------	---------	----------	-----------

beta (vectores cointegrantes)

IB	0.045407	-0.010694	-0.0067344
PBI	-0.0092648	0.00039521	-0.00065930
TIB	0.32915	0.53844	0.15453

alfa (vectores de ajuste)

IB	-10.678	-1.3808	-0.27878
PBI	-8.7406	-1.1632	-1.0289
TIB	0.039716	-0.14849	-0.0039077

beta renormalizado

IB	1.0000	-27.059	-0.043581
PBI	-0.20404	1.0000	-0.0042666

TIB 7.2489 1362.4 1.0000

alfa renormalizado

IB -0.48488 -0.00054572 -0.043079
PBI -0.39688 -0.00045970 -0.15899
TIB 0.0018034 -5.8683e-005 -0.00060385

matriz de largo plazo (alfa * beta')

	IB	PBI	TIB
IB	-0.46823	0.098572	-4.3014
PBI	-0.37751	0.081198	-3.6622
TIB	0.0034176	-0.00042407	-0.067482

STATA

JOHANSEN

```
. vecrank ib pbi tib, trend(constant) lags(4)
```

Johansen tests for cointegration

Trend: constant Number of obs = 149
Sample: 1951q1 - 1988q1 Lags = 4

maximum rank	parms	LL	eigenvalue	trace statistic	5% critical value
0	30	-1403.7074	.	77.2494	29.68
1	35	-1368.547	0.37622	6.9287*	15.41
2	38	-1365.3482	0.04203	0.5312	3.76
3	39	-1365.0826	0.00356		

JMULTI

JOHANSEN

Johansen Trace Test for: IB PBI TIB
sample range: [1950 Q3, 1988 Q1], T = 151
included lags (levels): 2
dimension of the process: 3
trend and intercept included
response surface computed:

r0	LR	pval	90%	95%	99%
0	70.02	0.0000	39.73	42.77	48.87
1	15.70	0.5242	23.32	25.73	30.67
2	3.05	0.8596	10.68	12.45	16.22

OPTIMAL ENDOGENOUS LAGS FROM INFORMATION CRITERIA

sample range: [1951 Q1, 1988 Q1], T = 149

optimal number of lags (searched up to 4 lags of levels):

Akaike Info Criterion: 4
 Final Prediction Error: 4
 Hannan-Quinn Criterion: 4
 Schwarz Criterion: 2

SAIKKONEN & LUTKEPOHL

S&L Test for: IB PBI TIB
 sample range: [1950 Q3, 1988 Q1], T = 151
 included lags (levels): 2
 dimension of the process: 3
 trend and intercept included
 response surface computed:

r0	LR	pval	90%	95%	99%
0	55.10	0.0000	26.07	28.52	33.50
1	13.13	0.1298	13.88	15.76	19.71
2	0.76	0.8551	5.47	6.79	9.73

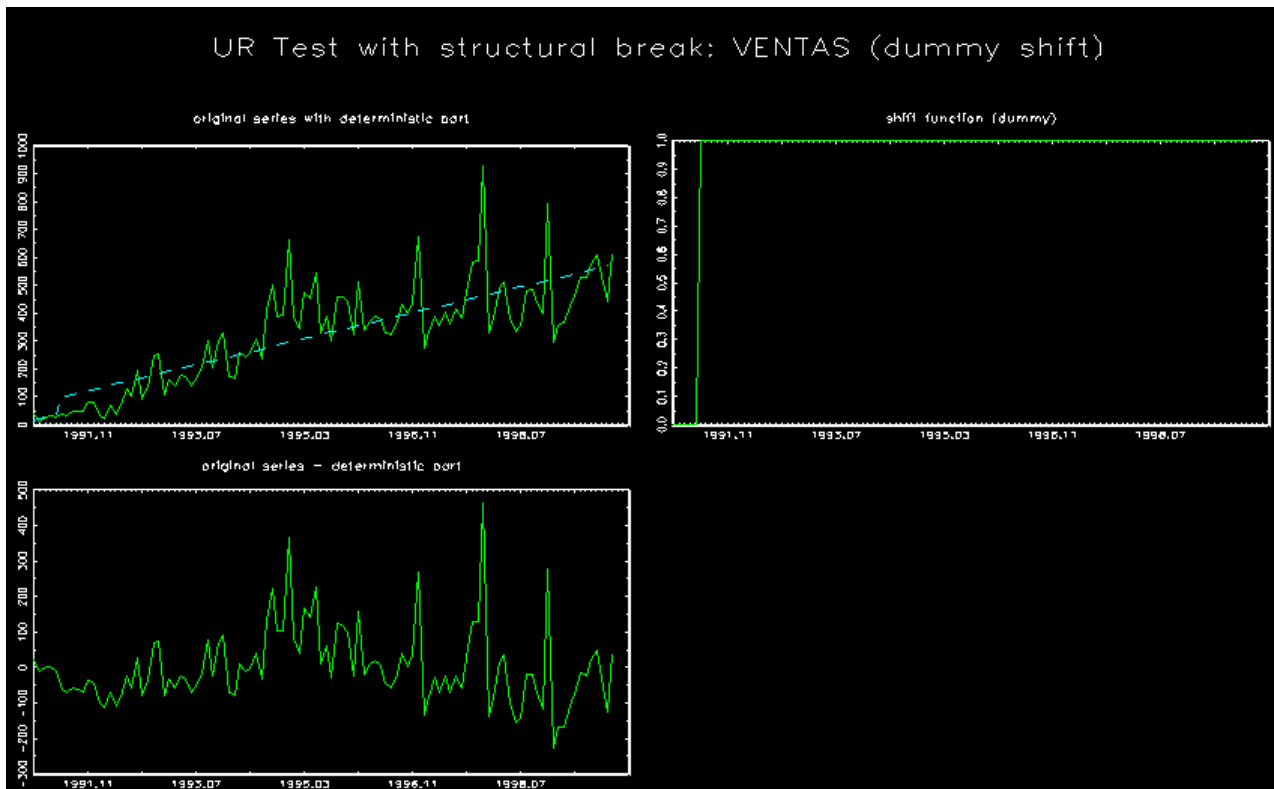
OPTIMAL ENDOGENOUS LAGS FROM INFORMATION CRITERIA

sample range: [1951 Q1, 1988 Q1], T = 149
 optimal number of lags (searched up to 4 lags of levels):
 Akaike Info Criterion: 4
 Final Prediction Error: 4
 Hannan-Quinn Criterion: 4
 Schwarz Criterion: 2

sample range: [1991 M12, 1999 M12], T = 97

optimal number of lags (searched up to 10 lags of 1. differences):

Akaike Info Criterion: 2
Final Prediction Error: 2
Hannan-Quinn Criterion: 0
Schwarz Criterion: 0



CONSTRUCCIÓN DE UN MODELO VEC

EVIIEWS

ESPECIFICACION:

Sample: 1950Q1 1988Q1
 Included observations: 148
 Series: IB PBI TIB
 Lags interval: 1 to 4

Selected (0.05 level*) Number of Cointegrating Relations by Model

Data Trend:	None	None	Linear	Linear	Quadratic
Test Type	No Intercept No Trend	Intercept No Trend	Intercept No Trend	Intercept Trend	Intercept Trend
Trace	3	2	1	1	1
Max-Eig	3	1	1	1	1

*Critical values based on MacKinnon-Haug-Michelis (1999)
 Information Criteria by Rank and Model

Data Trend:	None	None	Linear	Linear	Quadratic
Rank or No. of CEs	No Intercept No Trend	Intercept No Trend	Intercept No Trend	Intercept Trend	Intercept Trend

Log Likelihood by Rank (rows) and Model (columns)

0	-1385.074	-1385.074	-1377.441	-1377.441	-1376.220
1	-1371.966	-1357.131	-1350.308	-1350.127	-1348.943
2	-1364.896	-1349.189	-1346.191	-1345.651	-1345.106
3	-1361.670	-1345.960	-1345.960	-1341.844	-1341.844

Akaike Information Criteria by Rank (rows) and Model (columns)

0	19.20370	19.20370	19.14110	19.14110	19.16513
1	19.10766	18.92070	18.85551*	18.86658	18.87761
2	19.09320	18.90796	18.88096	18.90069	18.90684
3	19.13068	18.95892	18.95892	18.94384	18.94384

Schwarz Criteria by Rank (rows) and Model (columns)

0	19.93276	19.93276	19.93090	19.93090	20.01569
1	19.95822	19.79151	19.76682*	19.79814	19.84967
2	20.06526	19.92053	19.91378	19.97402	20.00042
3	20.22426	20.11326	20.11326	20.15892	20.15892

ESTIMACION:

Vector Error Correction Estimates
 Sample (adjusted): 1951Q2 1988Q1
 Included observations: 148 after adjustments
 Standard errors in () & t-statistics in []

Cointegrating Eq:	CointEq1
IB(-1)	1.000000
PBI(-1)	-0.200796 (0.00621) [-32.3533]

TIB(-1)	6.580751 (1.47825) [4.45173]		
C	48.19494		
<hr/>			
Error Correction:	D(IB)	D(PBI)	D(TIB)
<hr/>			
CointEq1	-0.477430 (0.08020) [-5.95320]	-0.332421 (0.10492) [-3.16820]	0.004387 (0.00365) [1.20203]
D(IB(-1))	0.114193 (0.12950) [0.88179]	0.105561 (0.16943) [0.62304]	-0.000231 (0.00589) [-0.03914]
D(IB(-2))	-0.038550 (0.12746) [-0.30244]	-0.009287 (0.16677) [-0.05569]	0.008654 (0.00580) [1.49185]
D(IB(-3))	0.283128 (0.12868) [2.20028]	0.147033 (0.16835) [0.87336]	0.001576 (0.00586) [0.26915]
D(IB(-4))	0.025394 (0.12809) [0.19825]	-0.152716 (0.16758) [-0.91130]	-0.002841 (0.00583) [-0.48741]
D(PBI(-1))	0.098111 (0.10680) [0.91865]	0.219295 (0.13973) [1.56945]	0.004590 (0.00486) [0.94439]
D(PBI(-2))	0.156376 (0.10589) [1.47680]	0.163110 (0.13854) [1.17738]	-0.002773 (0.00482) [-0.57536]
D(PBI(-3))	-0.164724 (0.10588) [-1.55579]	-0.010863 (0.13852) [-0.07842]	-0.002498 (0.00482) [-0.51843]
D(PBI(-4))	0.058765 (0.10331) [0.56884]	0.221749 (0.13516) [1.64066]	2.63E-06 (0.00470) [0.00056]
D(TIB(-1))	11.76569 (2.25599) [5.21532]	5.327464 (2.95157) [1.80496]	0.188339 (0.10267) [1.83441]
D(TIB(-2))	-1.605143 (2.55377) [-0.62854]	-8.254347 (3.34116) [-2.47050]	-0.495581 (0.11622) [-4.26408]
D(TIB(-3))	5.779149 (2.41641) [2.39163]	1.494139 (3.16145) [0.47261]	0.176821 (0.10997) [1.60789]
D(TIB(-4))	-2.023848 (2.45469) [-0.82448]	-6.544069 (3.21153) [-2.03768]	-0.050944 (0.11171) [-0.45602]
C	-0.993507 (2.72026) [-0.36523]	7.539049 (3.55898) [2.11832]	0.027246 (0.12380) [0.22008]
<hr/>			
R-squared	0.468708	0.450768	0.230115
Adj. R-squared	0.417164	0.397484	0.155425
Sum sq. resids	37846.83	64783.13	78.38718
S.E. equation	16.80592	21.98764	0.764839
F-statistic	9.093476	8.459765	3.080928
Log likelihood	-620.2656	-660.0404	-162.9721
Akaike AIC	8.571157	9.108655	2.391514
Schwarz SC	8.854677	9.392175	2.675035
Mean dependent	3.379730	18.60676	0.029459
S.D. dependent	22.01351	28.32659	0.832245
<hr/>			
Determinant resid covariance (dof adj.)		22740.15	

Determinant resid covariance	16878.06
Log likelihood	-1350.308
Akaike information criterion	18.85551
Schwarz criterion	19.76682

EVALUACION:

VEC Lag Exclusion Wald Tests
Sample: 1950Q1 1988Q1
Included observations: 148

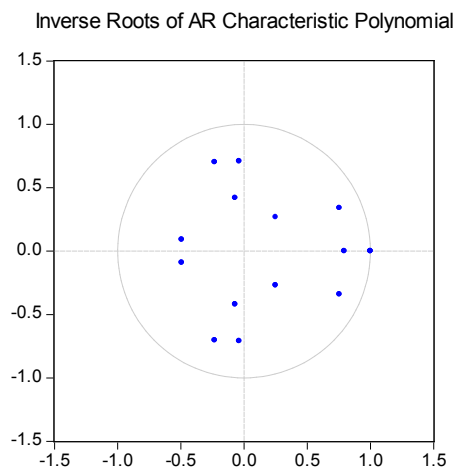
Chi-squared test statistics for lag exclusion:
Numbers in [] are p-values

	D(IB)	D(PBI)	D(TIB)	Joint
DLag 1	43.62929 [1.81e-09]	19.56642 [0.000209]	7.052547 [0.070242]	64.47929 [1.82e-10]
DLag 2	4.354901 [0.225604]	8.530181 [0.036236]	19.84530 [0.000183]	37.93549 [1.79e-05]
DLag 3	14.20274 [0.002642]	2.785358 [0.425916]	2.891110 [0.408720]	26.11759 [0.001954]
DLag 4	1.741483 [0.627751]	6.237987 [0.100589]	1.188619 [0.755735]	13.89767 [0.126012]
df	3	3	3	9

Roots of Characteristic Polynomial
Endogenous variables: IB PBI TIB
Exogenous variables:
Lag specification: 1 4

Root	Modulus
1.000000	1.000000
1.000000	1.000000
0.755952 - 0.339738i	0.828785
0.755952 + 0.339738i	0.828785
0.793050	0.793050
-0.231748 - 0.702281i	0.739531
-0.231748 + 0.702281i	0.739531
-0.037894 - 0.710487i	0.711496
-0.037894 + 0.710487i	0.711496
-0.492285 - 0.091079i	0.500640
-0.492285 + 0.091079i	0.500640
-0.071128 - 0.419687i	0.425672
-0.071128 + 0.419687i	0.425672
0.250586 - 0.268882i	0.367548
0.250586 + 0.268882i	0.367548

VEC specification imposes 2 unit root(s).



VEC Residual Portmanteau Tests for Autocorrelations
 Null Hypothesis: no residual autocorrelations up to lag h
 Sample: 1950Q1 1988Q1
 Included observations: 148

Lags	Q-Stat	Prob.	Adj Q-Stat	Prob.	df
1	0.641179	NA*	0.645540	NA*	NA*
2	3.333999	NA*	3.375249	NA*	NA*
3	5.759258	NA*	5.850685	NA*	NA*
4	7.825314	NA*	7.974132	NA*	NA*
5	12.95975	0.1644	13.28809	0.1500	9

*The test is valid only for lags larger than the VAR lag order.
 df is degrees of freedom for (approximate) chi-square distribution

VEC Residual Serial Correlation LM Tests
 Null Hypothesis: no serial correlation at lag order h
 Sample: 1950Q1 1988Q1
 Included observations: 148

Lags	LM-Stat	Prob
1	12.37380	0.1930
2	23.28593	0.0056
3	13.63803	0.1358
4	7.201334	0.6162
5	7.693663	0.5653

Probs from chi-square with 9 df.

VEC Residual Normality Tests
 Orthogonalization: Cholesky (Lutkepohl)
 Null Hypothesis: residuals are multivariate normal
 Sample: 1950Q1 1988Q1
 Included observations: 148

Component	Skewness	Chi-sq	df	Prob.
1	-0.163340	0.658102	1	0.4172
2	-0.054973	0.074542	1	0.7848
3	-0.227590	1.277669	1	0.2583

Joint				
		2.010313	3	0.5703
Component	Kurtosis	Chi-sq	df	Prob.
1	4.367250	11.52780	1	0.0007
2	2.817371	0.205679	1	0.6502
3	5.070764	26.44307	1	0.0000
Joint				
		38.17655	3	0.0000
Component	Jarque-Bera	df	Prob.	
1	12.18590	2	0.0023	
2	0.280221	2	0.8693	
3	27.72074	2	0.0000	
Joint				
		40.18686	6	0.0000

VEC Residual Heteroskedasticity Tests: No Cross Terms (only levels and squares)

Sample: 1950Q1 1988Q1

Included observations: 148

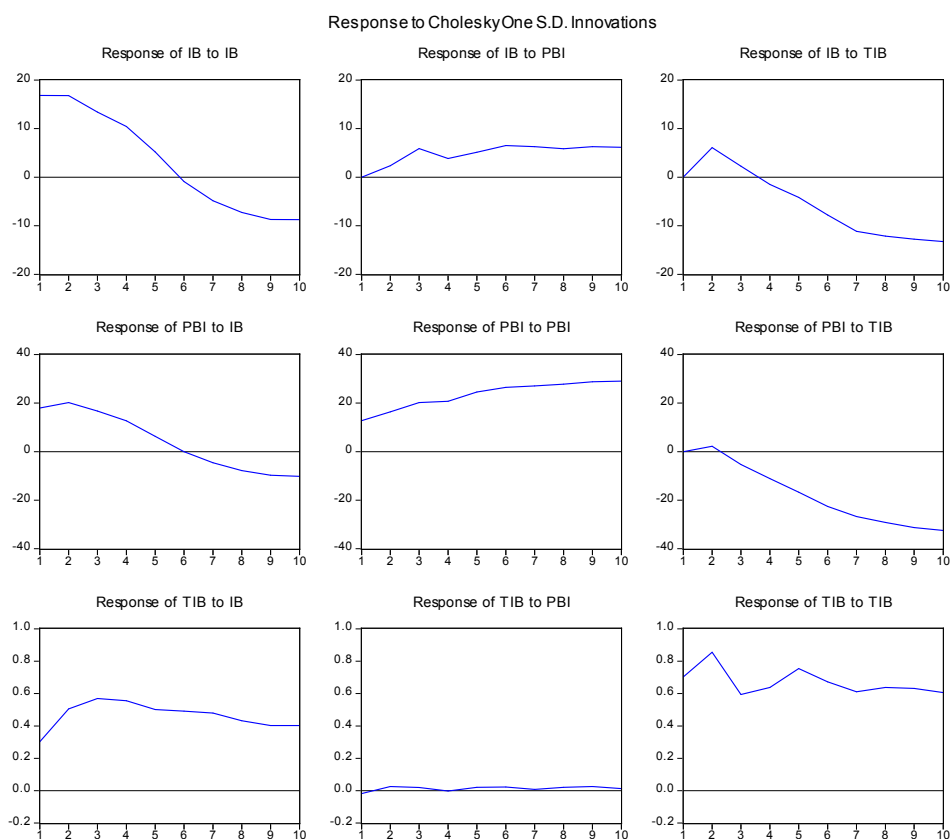
Joint test:					
Chi-sq	df	Prob.			
272.1764	156	0.0000			
Individual components:					
Dependent	R-squared	F(26,121)	Prob.	Chi-sq(26)	Prob.
res1*res1	0.282258	1.830164	0.0154	41.77419	0.0259
res2*res2	0.235235	1.431482	0.1005	34.81478	0.1157
res3*res3	0.634935	8.094152	0.0000	93.97040	0.0000
res2*res1	0.260979	1.643465	0.0384	38.62486	0.0529
res3*res1	0.469066	4.111544	0.0000	69.42172	0.0000
res3*res2	0.387520	2.944514	0.0000	57.35291	0.0004

VEC Residual Heteroskedasticity Tests: Includes Cross Terms

Sample: 1950Q1 1988Q1

Included observations: 148

Joint test:					
Chi-sq	df	Prob.			
757.7352	624	0.0002			
Individual components:					
Dependent	R-squared	F(104,43)	Prob.	Chi-sq(104)	Prob.
res1*res1	0.882474	3.104575	0.0000	130.6061	0.0398
res2*res2	0.815293	1.825011	0.0140	120.6634	0.1262
res3*res3	0.962734	10.68133	0.0000	142.4846	0.0073
res2*res1	0.858898	2.516778	0.0005	127.1170	0.0614
res3*res1	0.925269	5.119218	0.0000	136.9398	0.0168
res3*res2	0.901223	3.772338	0.0000	133.3810	0.0276

PREDICCIÓN:

Variance Decomposition of IB:

Period	S.E.	IB	PBI	TIB
1	16.80592	100.0000	0.000000	0.000000
2	24.61851	93.05969	0.888017	6.052289
3	28.71287	90.11089	4.816986	5.072127
4	30.82054	89.62705	5.726031	4.646923
5	31.93986	86.06915	7.901262	6.029587
6	33.53153	78.16661	10.92983	10.90356
7	36.22309	68.79433	12.36726	18.83841
8	39.32761	61.78210	12.69788	25.52002
9	42.72435	56.52355	12.89842	30.57803
10	46.00560	52.36780	12.91840	34.71380

Variance Decomposition of PBI:

Period	S.E.	IB	PBI	TIB
1	21.98764	66.23474	33.76526	0.000000
2	34.09448	62.47570	37.10598	0.418313
3	43.29363	53.53379	44.65539	1.810820
4	50.88716	44.99356	48.87859	6.127853
5	59.27559	34.27591	53.18965	12.53444
6	68.75253	25.47800	54.37880	20.14320
7	78.71844	19.77403	53.28020	26.94577
8	88.78271	16.31387	51.69946	31.98667
9	98.92932	14.11308	50.10191	35.78500

Period	S.E.	IB	PBI	TIB
10	108.5651	12.60225	48.74657	38.65119

Variance Decomposition of TIB:

Period	S.E.	IB	PBI	TIB
1	0.764839	15.62806	0.057698	84.31425
2	1.253252	22.01021	0.061373	77.92842
3	1.499050	29.79431	0.059532	70.14616
4	1.720805	33.01683	0.045547	66.93763
5	1.944482	32.48838	0.046546	67.46508
6	2.115340	32.82777	0.050146	67.12209
7	2.253560	33.45222	0.045174	66.50261
8	2.381608	33.23522	0.047536	66.71725
9	2.496626	32.82986	0.052929	67.11722
10	2.600057	32.65777	0.050864	67.29136

Cholesky Ordering: IB PBI TIB

STATA

ESPECIFICACION:

```
. vecrank ib pbi tib, lag(4)
      Johansen tests for cointegration
Trend: constant      Number of obs = 149
Sample: 1951q1 - 1988q1      Lags = 4
```

maximum rank	parms	LL	eigenvalue	trace statistic	5% critical value
0	30	-1403.7074	.	77.2494	29.68
1	35	-1368.547	0.37622	6.9287*	15.41
2	38	-1365.3482	0.04203	0.5312	3.76
3	39	-1365.0826	0.00356		

ESTIMACION:

```
. vec ib pbi tib, lag(5) rank(1)
      Vector error-correction model
Sample: 1951q2 - 1988q1      No. of obs = 148
      Log likelihood = -1350.308      AIC = 18.842
      Det(Sigma_ml) = 16878.06      HQIC = 19.20403
      SBIC = 19.73306
```

Equation	Parms	RMSE	R-sq	chi2	P>chi2
D_ib	14	16.8059	0.4810	124.2007	0.0000
D_pbi	14	21.9876	0.6171	215.9623	0.0000
D_tib	14	.764839	0.2311	40.27164	0.0002

	Coef.	Std. Err.	z	P> z	[95% Conf. Interval]	
D_ib						
_cel						
L1.	-.4774297	.0801972	-5.95	0.000	-.6346133	-.3202461
ib						
LD.	.1141926	.1295007	0.88	0.378	-.1396241	.3680093
L2D.	-.0385498	.1274648	-0.30	0.762	-.2883763	.2112766
L3D.	.2831276	.128678	2.20	0.028	.0309234	.5353318
L4D.	.025394	.1280885	0.20	0.843	-.2256548	.2764428
pbi						
LD.	.0981108	.1067984	0.92	0.358	-.1112101	.3074317
L2D.	.1563758	.1058882	1.48	0.140	-.0511613	.3639129
L3D.	-.1647242	.1058779	-1.56	0.120	-.3722411	.0427928
L4D.	.0587653	.1033065	0.57	0.569	-.1437117	.2612423
tib						
LD.	11.76569	2.255986	5.22	0.000	7.344042	16.18734
L2D.	-1.605143	2.553767	-0.63	0.530	-6.610434	3.400148
L3D.	5.779149	2.416407	2.39	0.017	1.043078	10.51522
L4D.	-2.023848	2.454689	-0.82	0.410	-6.834949	2.787253
_cons	-3.859376	2.812705	-1.37	0.170	-9.372175	1.653424

D_pbi						
_ce1						
L1.	-.3324206	.1049241	-3.17	0.002	-.538068	-.1267731
ib						
LD.	.1055612	.1694292	0.62	0.533	-.226514	.4376364
L2D.	-.0092865	.1667656	-0.06	0.956	-.3361411	.3175681
L3D.	.1470331	.1683528	0.87	0.382	-.1829324	.4769986
L4D.	-.1527164	.1675816	-0.91	0.362	-.4811702	.1757375
pbi						
LD.	.2192952	.1397271	1.57	0.117	-.054565	.4931553
L2D.	.1631096	.1385364	1.18	0.239	-.1084167	.4346359
L3D.	-.0108626	.1385229	-0.08	0.937	-.2823625	.2606374
L4D.	.2217488	.1351587	1.64	0.101	-.0431573	.4866549
tib						
LD.	5.327464	2.951566	1.80	0.071	-.4574995	11.11243
L2D.	-8.254347	3.341161	-2.47	0.013	-14.8029	-1.705791
L3D.	1.494139	3.16145	0.47	0.636	-4.702189	7.690467
L4D.	-6.544069	3.211535	-2.04	0.042	-12.83856	-2.495766
_cons	5.543628	3.679936	1.51	0.132	-1.668915	12.75617
D_tib						
_ce1						
L1.	.0043872	.0036498	1.20	0.229	-.0027663	.0115406
ib						
LD.	-.0002307	.0058936	-0.04	0.969	-.0117819	.0113206
L2D.	.0086541	.0058009	1.49	0.136	-.0027155	.0200237
L3D.	.0015762	.0058561	0.27	0.788	-.0099017	.013054
L4D.	-.0028412	.0058293	-0.49	0.626	-.0142665	.008584
pbi						
LD.	.0045901	.0048604	0.94	0.345	-.0049361	.0141163
L2D.	-.0027727	.004819	-0.58	0.565	-.0122177	.0066724
L3D.	-.0024981	.0048185	-0.52	0.604	-.0119422	.0069461
L4D.	2.63e-06	.0047015	0.00	1.000	-.0092121	.0092174
tib						
LD.	.1883389	.1026701	1.83	0.067	-.0128909	.3895686
L2D.	-.4955812	.1162222	-4.26	0.000	-.7233725	-.2677899
L3D.	.1768209	.1099709	1.61	0.108	-.0387181	.39236
L4D.	-.0509435	.1117131	-0.46	0.648	-.2698972	.1680102
_cons	-.0535803	.1280065	0.42	0.676	-.1973077	.3044684
Cointegrating equations						
Equation	Parms	chi2	P>chi2			
_ce1	2	3257.739	0.0000			
Identification: beta is exactly identified						
Johansen normalization restriction imposed						
beta	Coef.	Std. Err.	z	P> z	[95% Conf. Interval]	
_ce1						
ib	1					
pbi	-.2007958	.0062063	-32.35	0.000	-.21296	-.1886316
tib	6.580751	1.478246	4.45	0.000	3.683442	9.478059
_cons	42.19223					

EVALUACION:

. vecstable

Eigenvalue stability condition

Eigenvalue	Modulus
1	1
1	1
.7559521 + .3397376 i	.828785
.7559521 - .3397376 i	.828785
.7930496	.79305
-.2317476 + .7022814 i	.739531
-.2317476 - .7022814 i	.739531
-.0378936 + .7104865 i	.711496
-.0378936 - .7104865 i	.711496
-.4922854 + .09107944 i	.50064
-.4922854 - .09107944 i	.50064
-.07112829 + .419687 i	.425672
-.07112829 - .419687 i	.425672
.2505862 + .2688825 i	.367548
.2505862 - .2688825 i	.367548

The VECM specification imposes 2 unit moduli.

. vecnorm

Jarque-Bera test

Equation	chi2	df	Prob > chi2
D_ib	34.293	2	0.00000
D_pbi	1.277	2	0.52804
D_tib	64.304	2	0.00000
ALL	99.874	6	0.00000

Skewness test

Equation	Skewness	chi2	df	Prob > chi2
D_ib	-.18959	0.887	1	0.34638
D_pbi	-.06381	0.100	1	0.75131
D_tib	-.26417	1.721	1	0.18951
ALL		2.709	3	0.43878

Kurtosis test

Equation	Kurtosis	chi2	df	Prob > chi2
D_ib	5.3275	33.406	1	0.00000
D_pbi	3.4368	1.177	1	0.27802
D_tib	6.1857	62.583	1	0.00000
ALL		97.165	3	0.00000

. vec1mar, mlag(5)

Lagrange-multiplier test

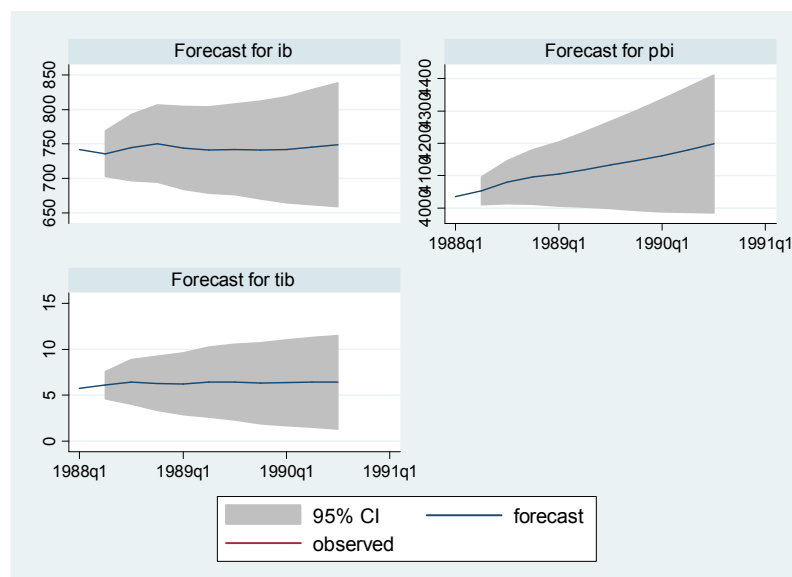
lag	chi2	df	Prob > chi2
1	12.3738	9	0.19305
2	23.2859	9	0.00559
3	13.6380	9	0.13580
4	7.2013	9	0.61617
5	7.6937	9	0.56529

H0: no autocorrelation at lag order

PREDICCION:

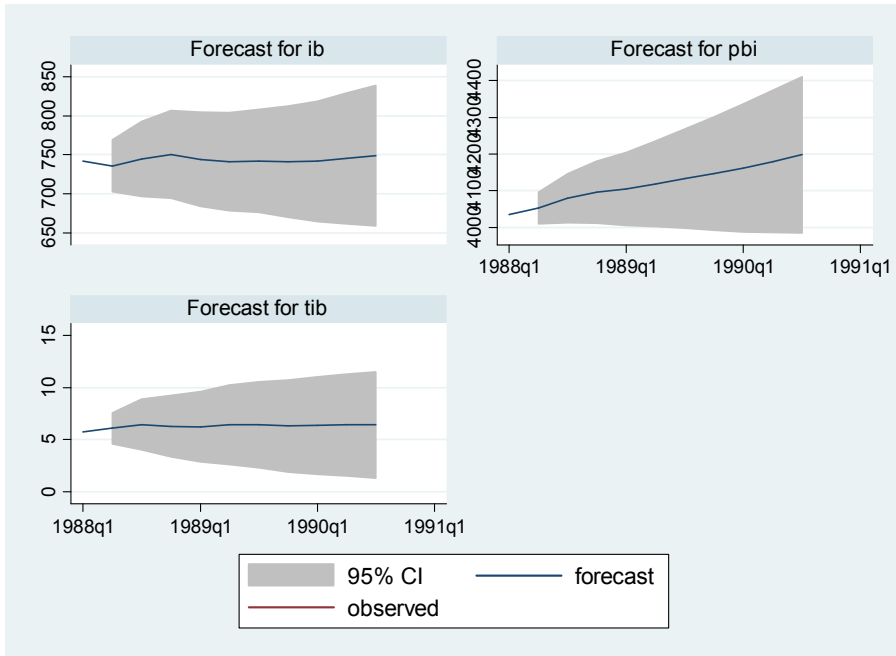
fcast compute ib_, step(10)

fcast graph ib_ib ib_pbi ib_tib, observed



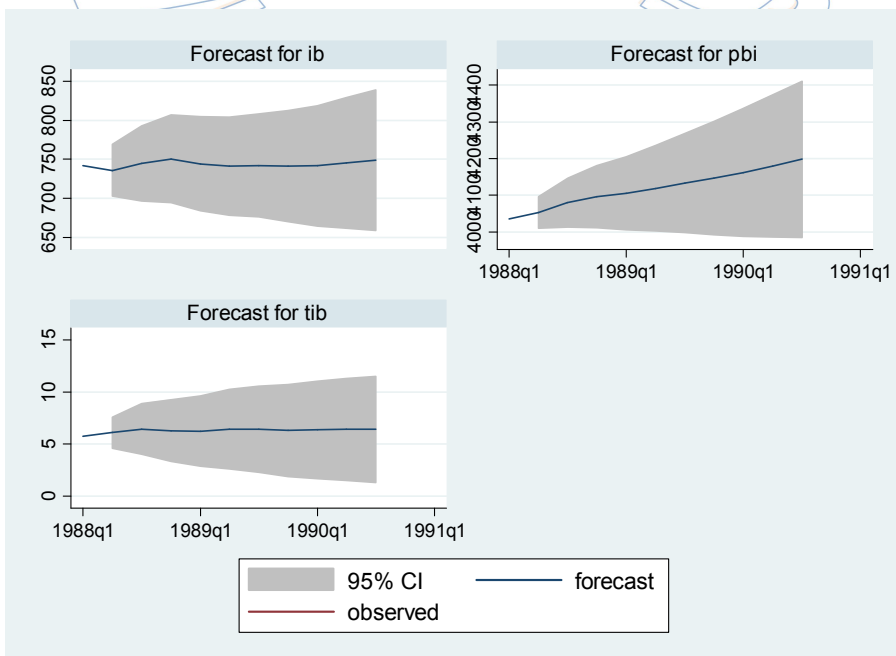
fcast compute pbi_, step(10)

fcast graph pbi_ib pbi_pbi pbi_tib, observed



fcast compute tib_, step(10)

fcast graph tib_ib tib_pbi tib_tib, observed



JMULTI**ESPECIFICACION:**

Johansen Trace Test for: IB PBI TIB
 sample range: [1951 Q1, 1988 Q1], T = 149
 included lags (levels): 4
 dimension of the process: 3
 intercept included
 response surface computed:

r0	LR	pval	90%	95%	99%
0	96.68	0.0000	32.25	35.07	40.78
1	23.88	0.0135	17.98	20.16	24.69
2	6.33	0.1722	7.60	9.14	12.53

OPTIMAL ENDOGENOUS LAGS FROM INFORMATION CRITERIA

sample range: [1951 Q1, 1988 Q1], T = 149
 optimal number of lags (searched up to 4 lags of levels):
 Akaike Info Criterion: 4
 Final Prediction Error: 4
 Hannan-Quinn Criterion: 3
 Schwarz Criterion: 2

S&L Test for: IB PBI TIB
 sample range: [1951 Q1, 1988 Q1], T = 149
 included lags (levels): 4
 dimension of the process: 3
 intercept included
 response surface computed:

r0	LR	pval	90%	95%	99%
0	58.68	0.0000	21.76	24.16	29.11
1	14.64	0.0187	10.47	12.26	16.10
2	2.43	0.1406	2.98	4.13	6.93

OPTIMAL ENDOGENOUS LAGS FROM INFORMATION CRITERIA

sample range: [1951 Q1, 1988 Q1], T = 149
 optimal number of lags (searched up to 4 lags of levels):
 Akaike Info Criterion: 4
 Final Prediction Error: 4
 Hannan-Quinn Criterion: 3
 Schwarz Criterion: 2

ESTIMACION:**Coefficientes:**

$$\begin{bmatrix} d(IB)(t) \\ d(PBI)(t) \\ d(TIB)(t) \end{bmatrix} = \begin{bmatrix} -0.452 \\ -0.264 \\ 0.004 \end{bmatrix} \begin{bmatrix} 1.000 & -0.201 & 6.710 \\ \dots & \dots & \dots \\ \dots & \dots & \dots \end{bmatrix} \begin{bmatrix} IB(t-1) \\ PBI(t-1) \\ TIB(t-1) \end{bmatrix} + \begin{bmatrix} 58.814 \\ \dots \\ \dots \end{bmatrix} \begin{bmatrix} CONST \\ \dots \\ \dots \end{bmatrix} + \begin{bmatrix} 0.052 & 0.154 & 11.482 \\ -0.057 & 0.366 & 4.495 \\ 0.000 & 0.004 & 0.191 \end{bmatrix} \begin{bmatrix} d(IB)(t-1) \\ d(PBI)(t-1) \\ d(TIB)(t-1) \end{bmatrix} + \begin{bmatrix} -0.114 & 0.211 & -1.583 \\ -0.207 & 0.307 & -8.324 \\ 0.009 & -0.003 & -0.493 \end{bmatrix} \begin{bmatrix} d(IB)(t-2) \\ d(PBI)(t-2) \\ d(TIB)(t-2) \end{bmatrix} \\
 + \begin{bmatrix} 0.211 & -0.117 & 5.843 \\ -0.041 & 0.116 & 1.591 \\ 0.002 & -0.003 & 0.178 \end{bmatrix} \begin{bmatrix} d(IB)(t-3) \\ d(PBI)(t-3) \\ d(TIB)(t-3) \end{bmatrix} + \begin{bmatrix} -0.039 & 0.100 & -1.864 \\ -0.323 & 0.331 & -5.685 \\ -0.003 & -0.000 & -0.051 \end{bmatrix} \begin{bmatrix} d(IB)(t-4) \\ d(PBI)(t-4) \\ d(TIB)(t-4) \end{bmatrix} + \begin{bmatrix} u_1(t) \\ u_2(t) \\ u_3(t) \end{bmatrix}$$

Desviación Estándar:

$$\begin{bmatrix} d(IB)(t) \\ d(PBI)(t) \\ d(TIB)(t) \end{bmatrix} = \begin{bmatrix} 0.075 \\ 0.101 \\ 0.003 \end{bmatrix} \begin{bmatrix} \dots & 0.006 & 1.416 \\ \dots & \dots & \dots \\ \dots & \dots & \dots \end{bmatrix} \begin{bmatrix} IB(t-1) \\ PBI(t-1) \\ TIB(t-1) \end{bmatrix} + \begin{bmatrix} 8.189 \\ \dots \\ \dots \end{bmatrix} \begin{bmatrix} CONST \\ \dots \\ \dots \end{bmatrix} + \begin{bmatrix} 0.118 & 0.096 & 2.156 \\ 0.159 & 0.129 & 2.896 \\ 0.005 & 0.004 & 0.097 \end{bmatrix} \begin{bmatrix} d(IB)(t-1) \\ d(PBI)(t-1) \\ d(TIB)(t-1) \end{bmatrix} + \begin{bmatrix} 0.113 & 0.096 & 2.453 \\ 0.152 & 0.128 & 3.295 \\ 0.005 & 0.004 & 0.111 \end{bmatrix} \begin{bmatrix} d(IB)(t-2) \\ d(PBI)(t-2) \\ d(TIB)(t-2) \end{bmatrix} \\
 + \begin{bmatrix} 0.115 & 0.097 & 2.319 \\ 0.155 & 0.130 & 3.115 \\ 0.005 & 0.004 & 0.105 \end{bmatrix} \begin{bmatrix} d(IB)(t-3) \\ d(PBI)(t-3) \\ d(TIB)(t-3) \end{bmatrix} + \begin{bmatrix} 0.116 & 0.096 & 2.348 \\ 0.156 & 0.128 & 3.154 \\ 0.005 & 0.004 & 0.106 \end{bmatrix} \begin{bmatrix} d(IB)(t-4) \\ d(PBI)(t-4) \\ d(TIB)(t-4) \end{bmatrix} + \begin{bmatrix} u_1(t) \\ u_2(t) \\ u_3(t) \end{bmatrix}$$

T estadístico:

$$\begin{bmatrix} d(IB)(t) \\ d(PBI)(t) \\ d(TIB)(t) \end{bmatrix} = \begin{bmatrix} -6.020 \\ -2.616 \\ 1.218 \end{bmatrix} \begin{bmatrix} \dots & -33.800 & 4.738 \\ \dots & \dots & \dots \\ \dots & \dots & \dots \end{bmatrix} \begin{bmatrix} IB(t-1) \\ PBI(t-1) \\ TIB(t-1) \end{bmatrix} + \begin{bmatrix} 7.182 \\ \dots \\ \dots \end{bmatrix} \begin{bmatrix} CONST \\ \dots \\ \dots \end{bmatrix} + \begin{bmatrix} 0.440 & 1.599 & 5.325 \\ -0.360 & 2.832 & 1.552 \\ 0.014 & 0.996 & 1.966 \end{bmatrix} \begin{bmatrix} d(IB)(t-1) \\ d(PBI)(t-1) \\ d(TIB)(t-1) \end{bmatrix} + \begin{bmatrix} -1.009 & 2.208 & -0.645 \\ -1.365 & 2.393 & -2.526 \\ 1.771 & -0.703 & -4.452 \end{bmatrix} \begin{bmatrix} d(IB)(t-2) \\ d(PBI)(t-2) \\ d(TIB)(t-2) \end{bmatrix} \\
 + \begin{bmatrix} 1.837 & -1.206 & 2.519 \\ -0.268 & 0.888 & 0.511 \\ 0.367 & -0.618 & 1.702 \end{bmatrix} \begin{bmatrix} d(IB)(t-3) \\ d(PBI)(t-3) \\ d(TIB)(t-3) \end{bmatrix} + \begin{bmatrix} -0.333 & 1.043 & -0.709 \\ -2.070 & 2.583 & -1.803 \\ -0.478 & -0.044 & -0.460 \end{bmatrix} \begin{bmatrix} d(IB)(t-4) \\ d(PBI)(t-4) \\ d(TIB)(t-4) \end{bmatrix} + \begin{bmatrix} u_1(t) \\ u_2(t) \\ u_3(t) \end{bmatrix}$$

MODELO VAR:

$$\begin{bmatrix} d(IB)(t) \\ d(PBI)(t) \\ d(TIB)(t) \end{bmatrix} = \begin{bmatrix} -6.020 \\ -2.616 \\ 1.218 \end{bmatrix} \begin{bmatrix} \dots & -33.800 & 4.738 \\ \dots & \dots & \dots \\ \dots & \dots & \dots \end{bmatrix} \begin{bmatrix} IB(t-1) \\ PBI(t-1) \\ TIB(t-1) \end{bmatrix} + \begin{bmatrix} 7.182 \\ \dots \\ \dots \end{bmatrix} \begin{bmatrix} CONST \\ \dots \\ \dots \end{bmatrix} + \begin{bmatrix} 0.440 & 1.599 & 5.325 \\ -0.360 & 2.832 & 1.552 \\ 0.014 & 0.996 & 1.966 \end{bmatrix} \begin{bmatrix} d(IB)(t-1) \\ d(PBI)(t-1) \\ d(TIB)(t-1) \end{bmatrix} + \begin{bmatrix} -1.009 & 2.208 & -0.645 \\ -1.365 & 2.393 & -2.526 \\ 1.771 & -0.703 & -4.452 \end{bmatrix} \begin{bmatrix} d(IB)(t-2) \\ d(PBI)(t-2) \\ d(TIB)(t-2) \end{bmatrix} \\
 + \begin{bmatrix} 1.837 & -1.206 & 2.519 \\ -0.268 & 0.888 & 0.511 \\ 0.367 & -0.618 & 1.702 \end{bmatrix} \begin{bmatrix} d(IB)(t-3) \\ d(PBI)(t-3) \\ d(TIB)(t-3) \end{bmatrix} + \begin{bmatrix} -0.333 & 1.043 & -0.709 \\ -2.070 & 2.583 & -1.803 \\ -0.478 & -0.044 & -0.460 \end{bmatrix} \begin{bmatrix} d(IB)(t-4) \\ d(PBI)(t-4) \\ d(TIB)(t-4) \end{bmatrix} + \begin{bmatrix} u_1(t) \\ u_2(t) \\ u_3(t) \end{bmatrix}$$

EVALUACION:

PORTMANTEAU TEST ($H_0: \rho = (\rho_1, \dots, \rho_h) = 0$)

tested order: 16
 test statistic: 136.1864
 p-value: 0.0220
 adjusted test statistic: 146.1387
 p-value: 0.0049
 degrees of freedom: 105.0000

LM-TYPE TEST FOR AUTOCORRELATION with 5 lags

LM statistic: 111.2327
 p-value: 0.0000
 df: 45.0000

TESTS FOR NONNORMALITY

Reference: Doornik & Hansen (1994)

joint test statistic: 81.3743
 p-value: 0.0000
 degrees of freedom: 6.0000
 skewness only: 5.5262
 p-value: 0.1371
 kurtosis only: 75.8481
 p-value: 0.0000

Reference: Lütkepohl (1993), Introduction to Multiple Time Series Analysis, 2ed, p. 153

joint test statistic: 97.9643
 p-value: 0.0000
 degrees of freedom: 6.0000
 skewness only: 3.4101
 p-value: 0.3326
 kurtosis only: 94.5542
 p-value: 0.0000

JARQUE-BERA TEST

variable	teststat	p-Value (Chi ²)	skewness	
kurtosis				
u1	32.1574	0.0000	-0.1169	5.2716
u2	12.8558	0.0016	0.3159	4.2983
u3	137.5534	0.0000	-0.2487	7.6966

ARCH-LM TEST with 16 lags

variable	teststat	p-Value (Chi ²)	F stat	p-Value (F)
u1	25.6478	0.0592	1.9896	0.0193
u2	24.7996	0.0734	1.9085	0.0262
u3	60.8148	0.0000	7.0481	0.0000

MULTIVARIATE ARCH-LM TEST with 5 lags

VARCHLM test statistic: 301.2774
 p-value(chi²): 0.0000
 degrees of freedom: 180.0000

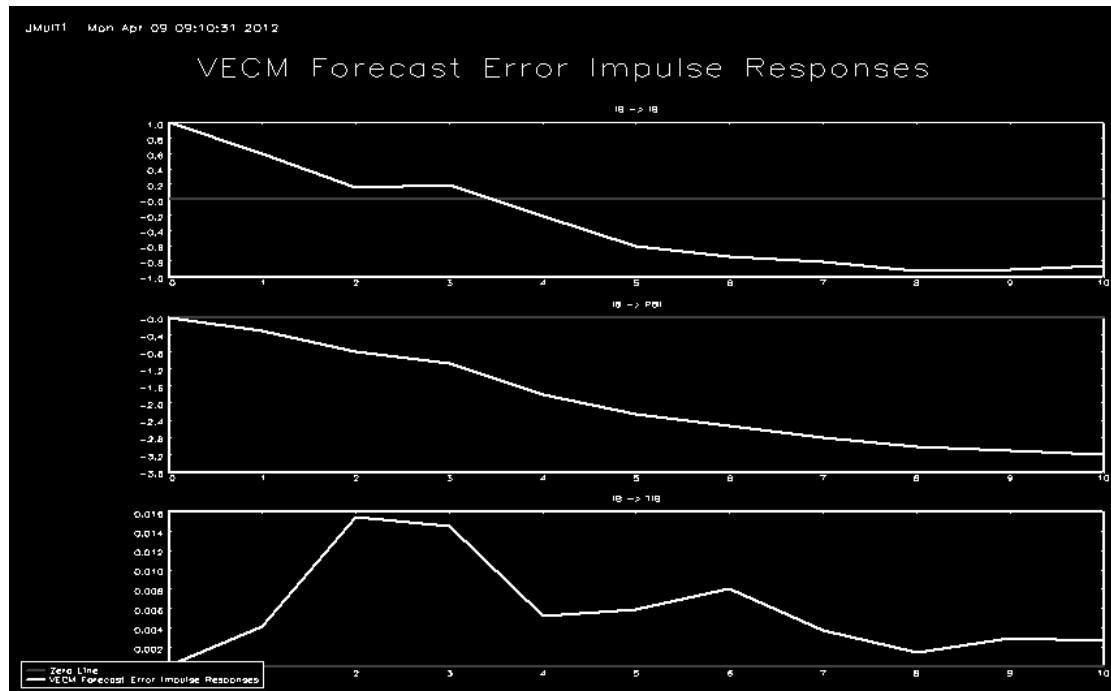
PREDICION:

VECM Forecast Error Impulse Responses

Selected Impulse Responses: "impulse variable -> response variable"

time	IB ->IB	IB ->PBI	IB ->TIB
point estimate	1.0000	0.0000	0.0000

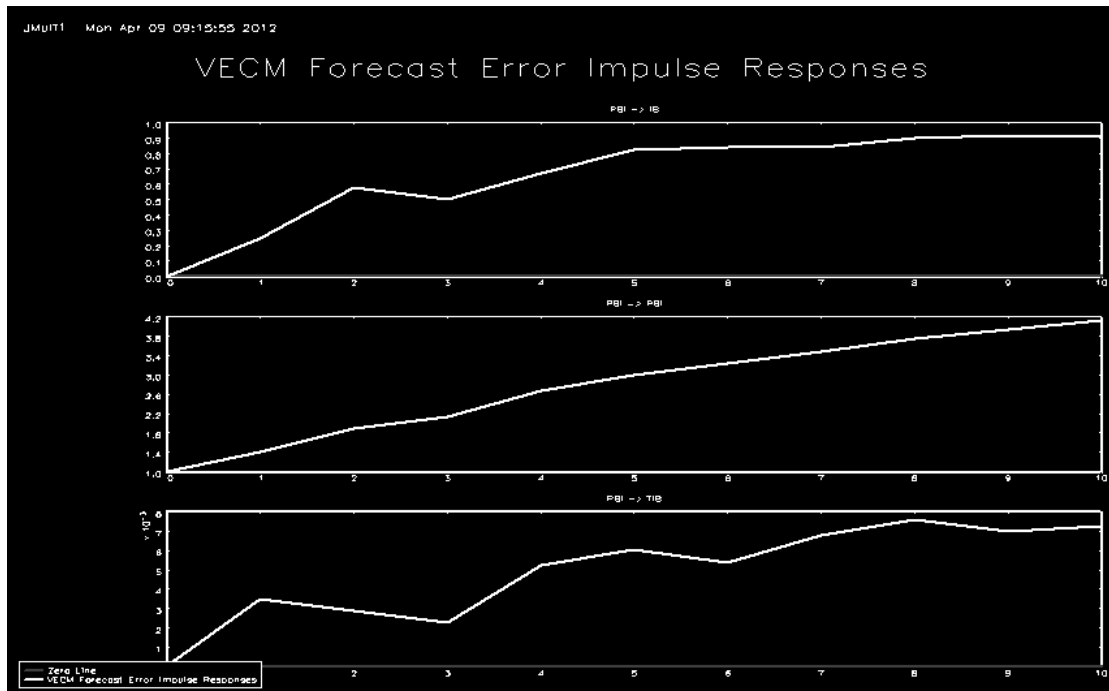
1 point estimate	0.6000	-0.3208	0.0042
2 point estimate	0.1511	-0.7864	0.0155
3 point estimate	0.1815	-1.0817	0.0145
4 point estimate	-0.2241	-1.8075	0.0052
5 point estimate	-0.6044	-2.2452	0.0059
6 point estimate	-0.7373	-2.5233	0.0081
7 point estimate	-0.8167	-2.8070	0.0037
8 point estimate	-0.9255	-3.0330	0.0014
9 point estimate	-0.9100	-3.1224	0.0030
10 point estimate	-0.8541	-3.2065	0.0027



VECM Forecast Error Impulse Responses

Selected Impulse Responses: "impulse variable -> response variable"

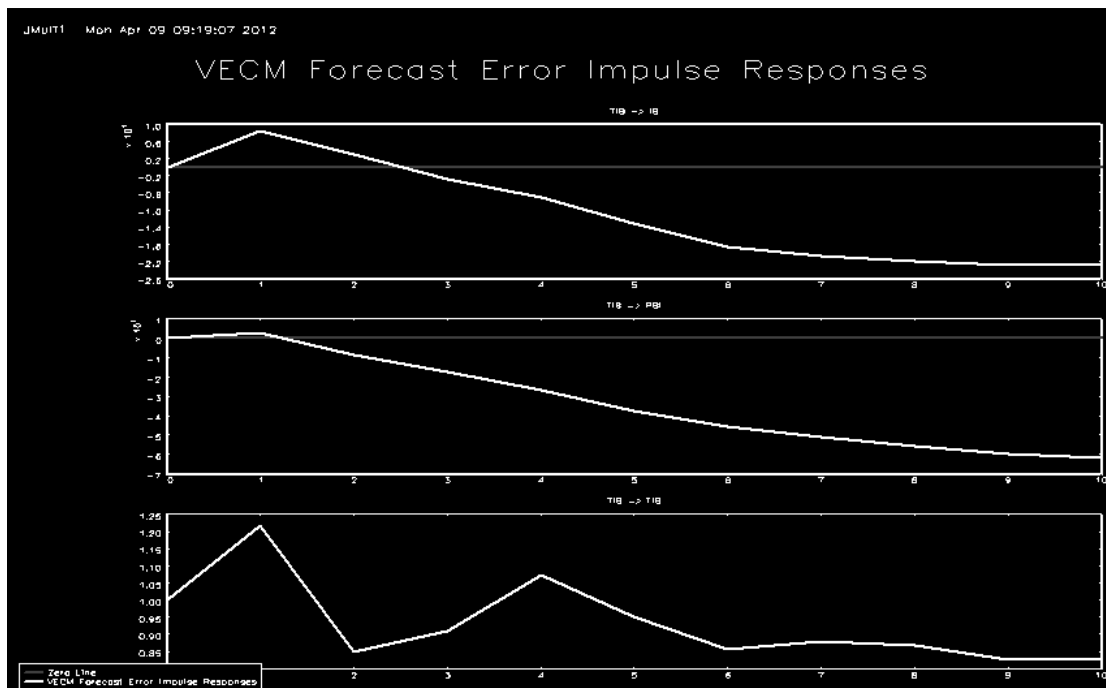
time	PBI ->IB	PBI ->PBI	PBI ->TIB
point estimate	0.0000	1.0000	0.0000
1 point estimate	0.2448	1.4194	0.0035
2 point estimate	0.5811	1.8866	0.0029
3 point estimate	0.5017	2.1422	0.0023
4 point estimate	0.6746	2.6690	0.0053
5 point estimate	0.8244	2.9996	0.0061
6 point estimate	0.8447	3.2293	0.0054
7 point estimate	0.8419	3.4845	0.0068
8 point estimate	0.8983	3.7423	0.0076
9 point estimate	0.9124	3.9339	0.0070
10 point estimate	0.9074	4.1223	0.0072



VECM Forecast Error Impulse Responses

Selected Impulse Responses: "impulse variable -> response variable"

time	TIB ->IB	TIB ->PBI	TIB ->TIB
point estimate	0.0000	0.0000	1.0000
1 point estimate	8.4493	2.7247	1.2191
2 point estimate	2.9723	-8.3401	0.8466
3 point estimate	-2.8533	-17.6253	0.9078
4 point estimate	-6.9853	-26.7452	1.0716
5 point estimate	-13.0994	-37.4582	0.9518
6 point estimate	-18.5838	-45.6169	0.8548
7 point estimate	-20.6040	-50.9581	0.8809
8 point estimate	-21.9245	-55.8697	0.8671
9 point estimate	-23.0467	-59.5787	0.8258
10 point estimate	-22.6040	-61.5970	0.8242



VECM FORECAST ERROR VARIANCE DECOMPOSITION

Proportions of forecast error in "IB" accounted for by:

forecast horizon	IB	PBI	TIB
1	1.00	0.00	0.00
2	0.93	0.01	0.06
3	0.88	0.07	0.04
4	0.85	0.10	0.04
5	0.78	0.16	0.06
6	0.67	0.22	0.11
7	0.55	0.26	0.18
8	0.47	0.28	0.25
9	0.40	0.30	0.30
10	0.35	0.31	0.35

Proportions of forecast error in "PBI" accounted for by:

forecast horizon	IB	PBI	TIB
1	0.66	0.34	0.00
2	0.61	0.39	0.00
3	0.50	0.49	0.02
4	0.40	0.55	0.05
5	0.29	0.61	0.10
6	0.20	0.64	0.16
7	0.15	0.64	0.21
8	0.11	0.64	0.25
9	0.09	0.64	0.28
10	0.07	0.63	0.30

Proportions of forecast error in "TIB" accounted for by:

forecast horizon	IB	PBI	TIB
1	0.15	0.00	0.85
2	0.21	0.00	0.78
3	0.29	0.00	0.71
4	0.33	0.00	0.67
5	0.32	0.00	0.68
6	0.33	0.00	0.67
7	0.34	0.00	0.66
8	0.34	0.00	0.66
9	0.33	0.00	0.66
10	0.34	0.00	0.66

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